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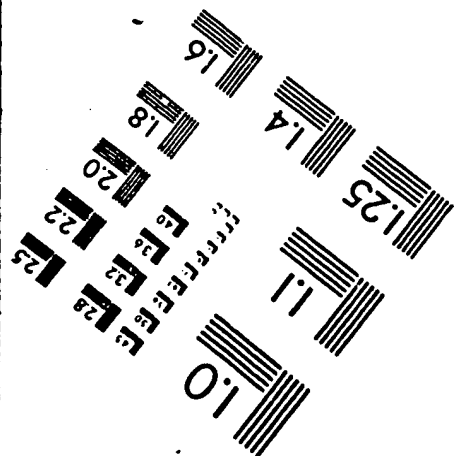
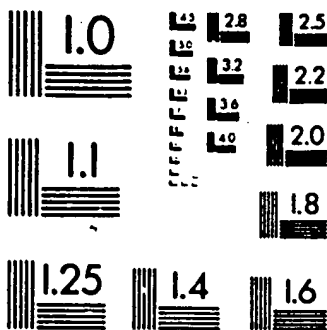
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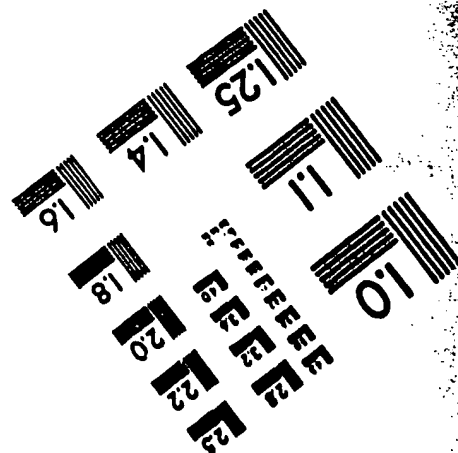
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microunity

Zeus System Architecture

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MicroUnity

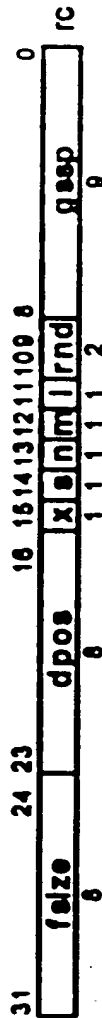
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Chief Architect

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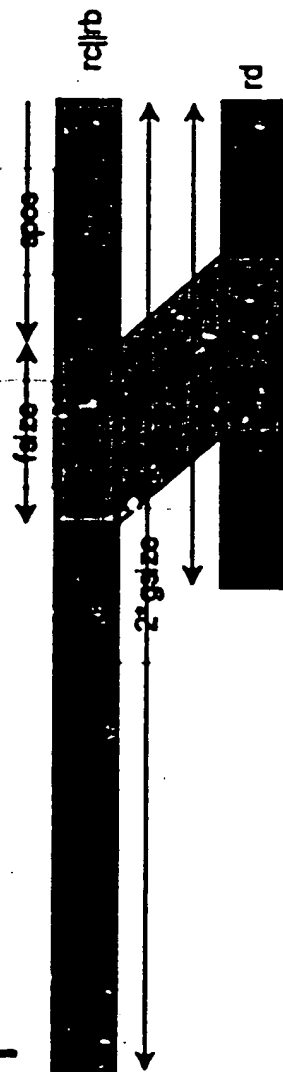
Crossbar extract control

■ layout

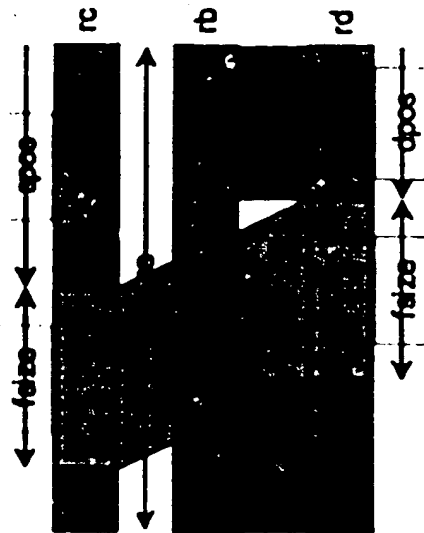


■ function

m=0

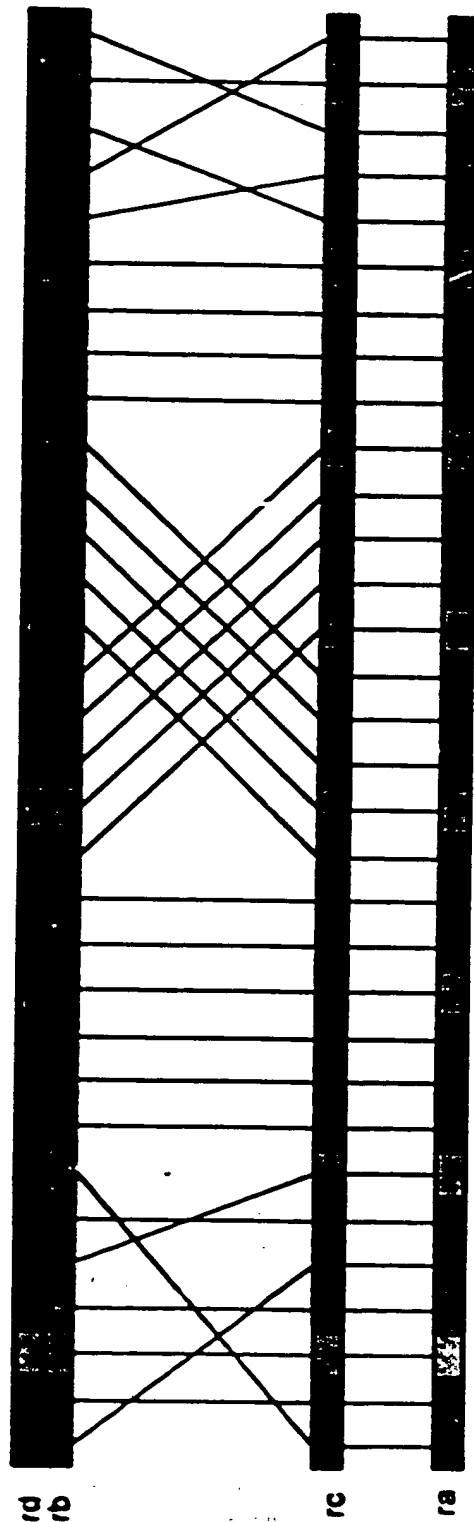


m=1



Crossbar Select bytes

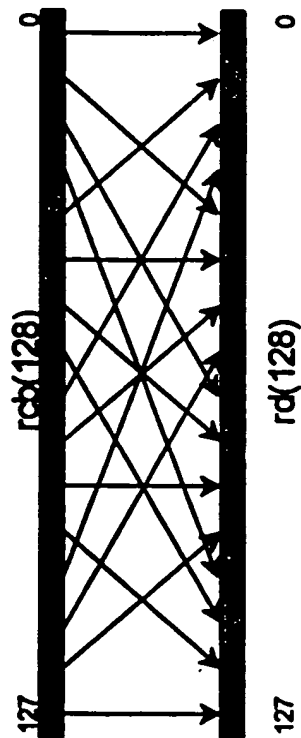
- X.SELECT.8 ra=rc,rd,rb





4-way shuffle bytes within hexlet

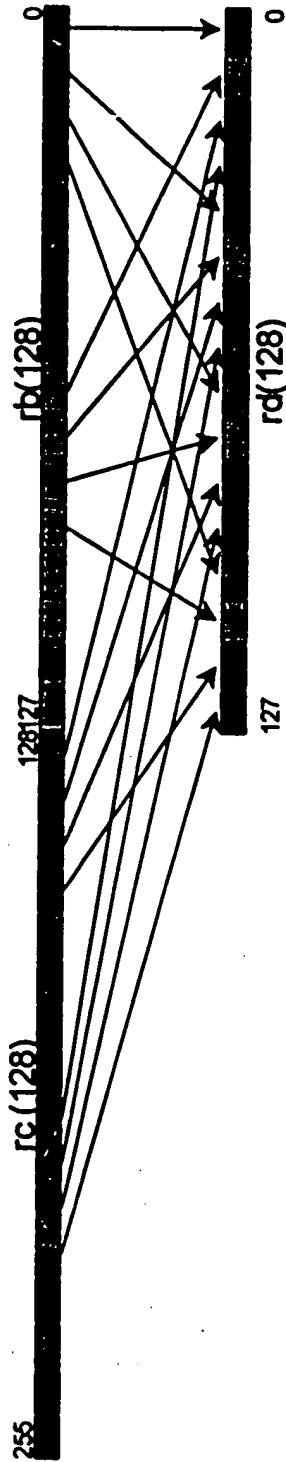
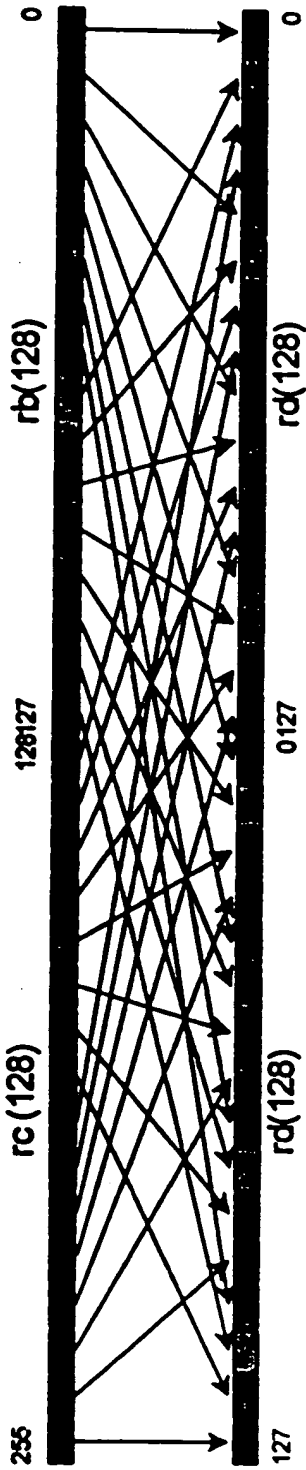
■ XSHUFFLEI.128 rd=rcb,8,4





4-way shuffle bytes within trilet

■ XSHUFFLEI.128 rd=rc,rb,8,4





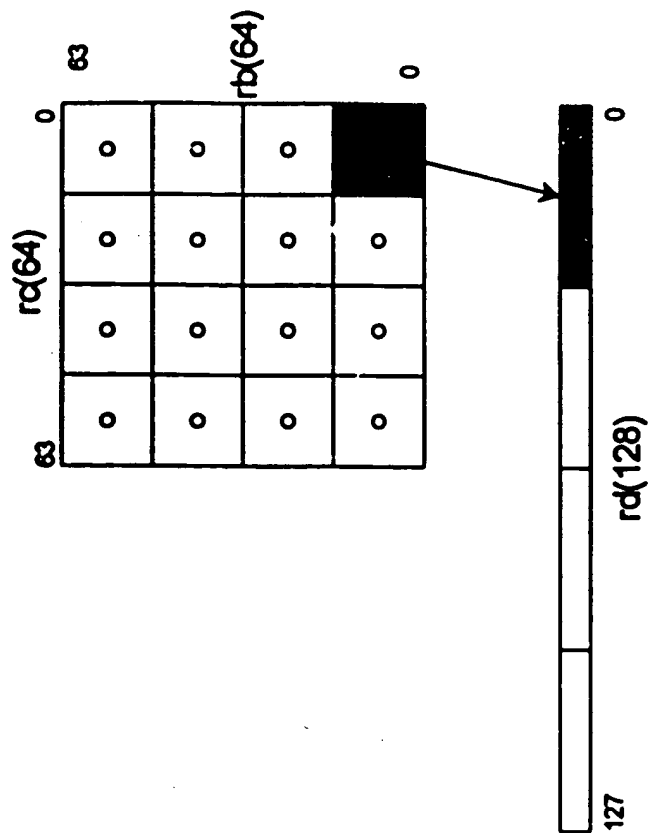
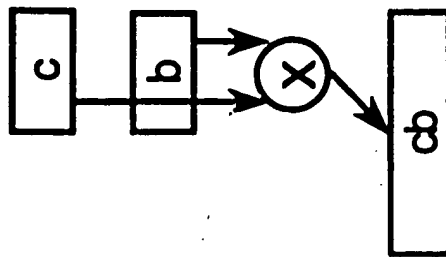
Ensemble Instructions

- Multiply
 - ◆ Fixed-point
 - size-doubling
 - extract
 - ◆ Floating-point
 - ◆ Complex
 - ◆ Polynomial
 - ◆ Galois Field
- Floating-point
 - ◆ Add, Subtract, Divide, Sum
 - ◆ Inflate, Deflate, Float, Sink
 - ◆ Reciprocal Estimate
 - ◆ Reciprocal Square Root Estimate
- Fixed-point
 - ◆ Sum
 - ◆ Log-most
- ◆ Convolve
- ◆ Multiply-add
- ◆ Scale-add
- ◆ Multiply-sum



Multiply

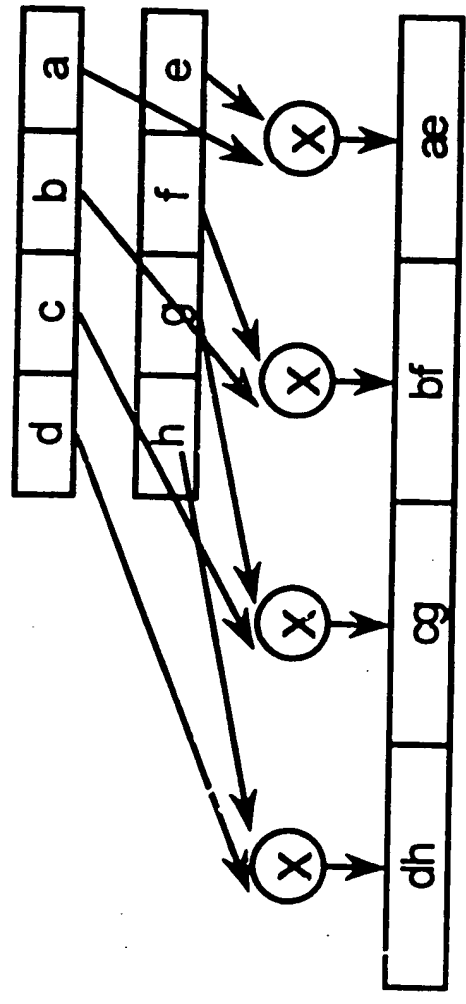
$$\blacksquare rd_{32} = rc_{16} * rb_{16}$$





Ensemble multiply

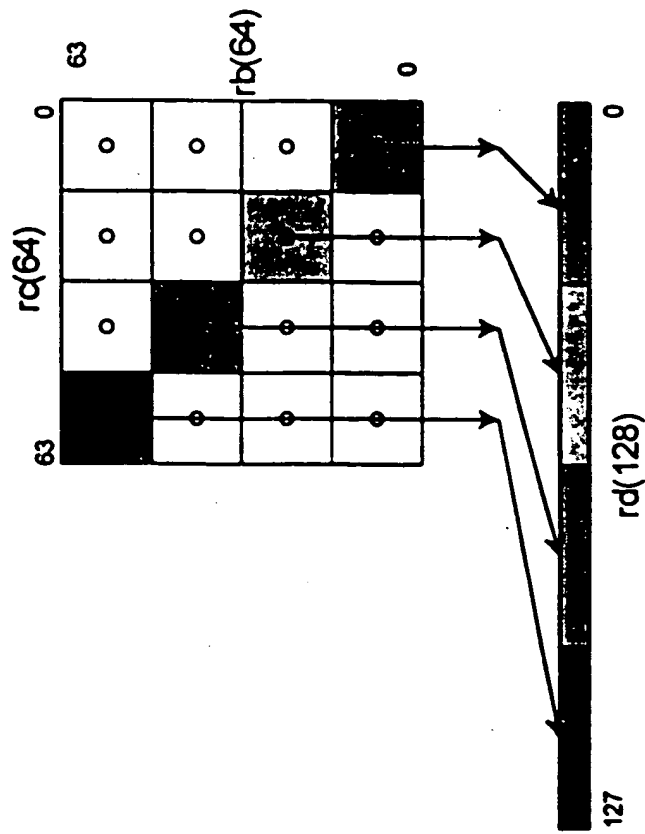
■ $rd_{128} = rc_{64} * rb_{64}$





Ensemble multiply

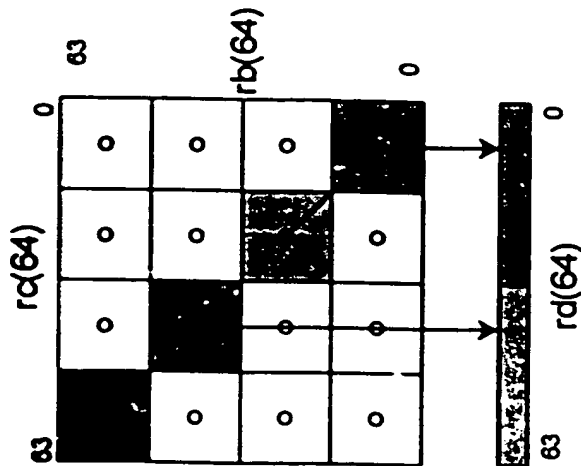
$$\blacksquare rd_{128} = rc_{64} * rb_{64}$$





MMX PMADDWD

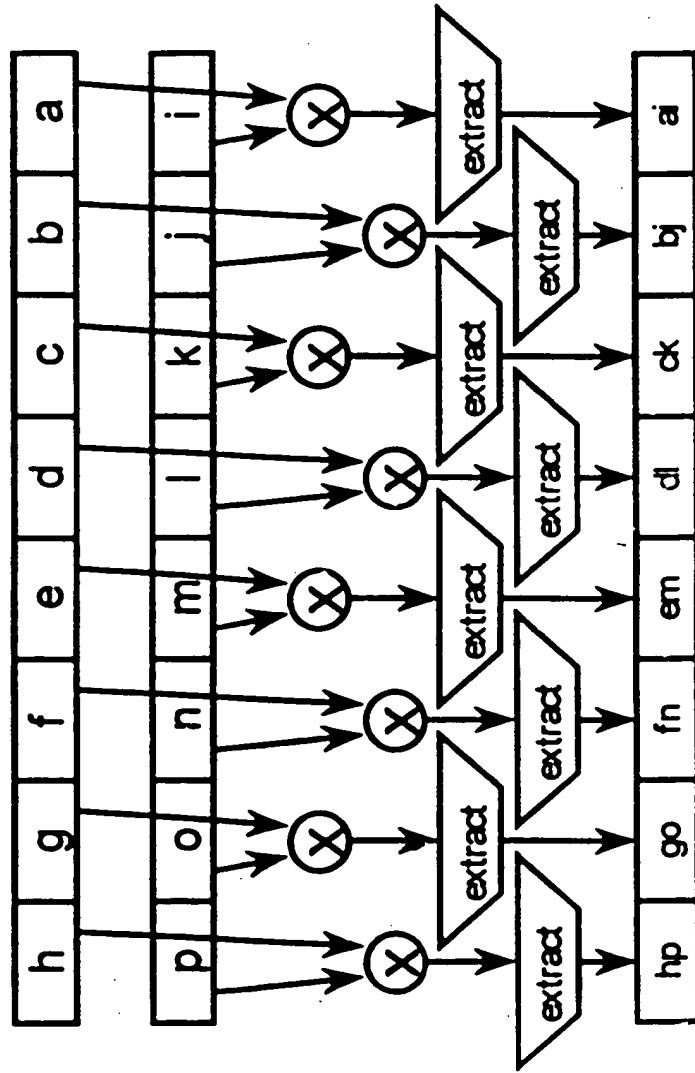
$$\blacksquare \text{rd}_{128} = \text{rc}_{64} * \text{rb}_{64}$$





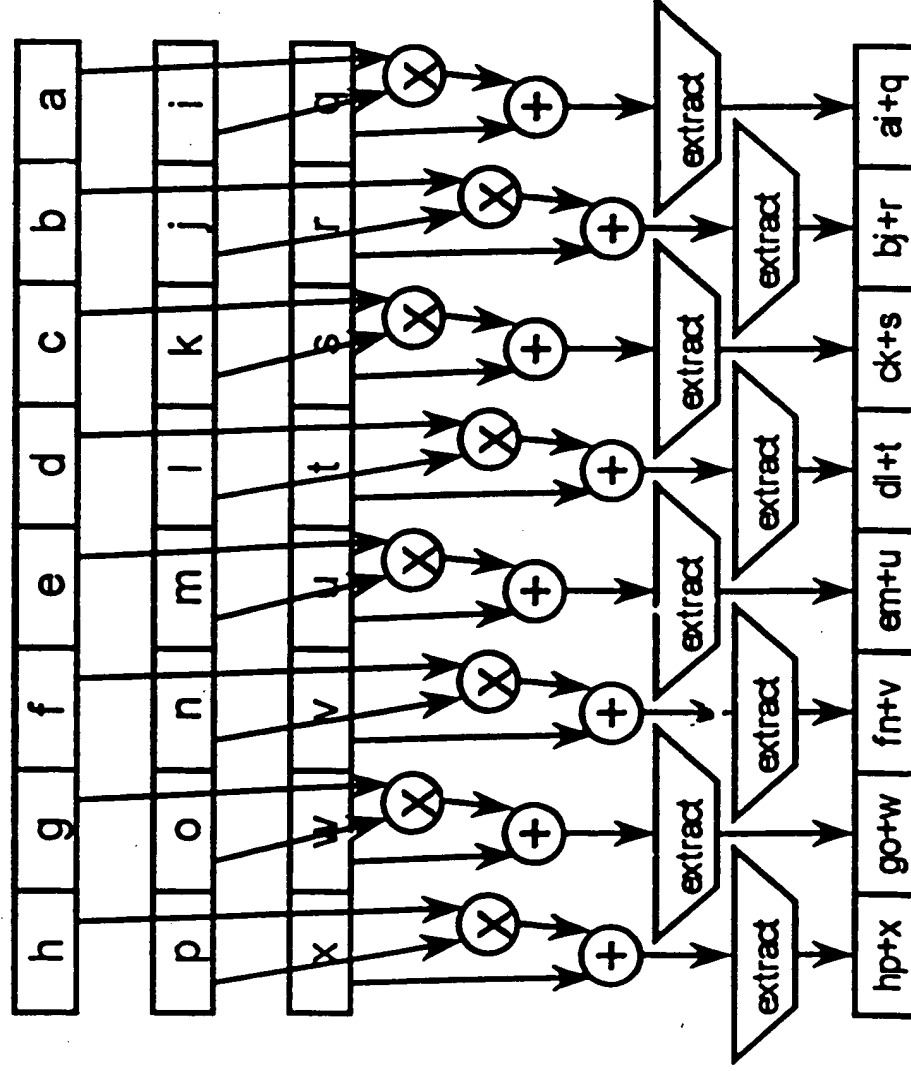
Ensemble multiply extract

$$\blacksquare rd_{128} = rc_{128} * rb_{128}$$



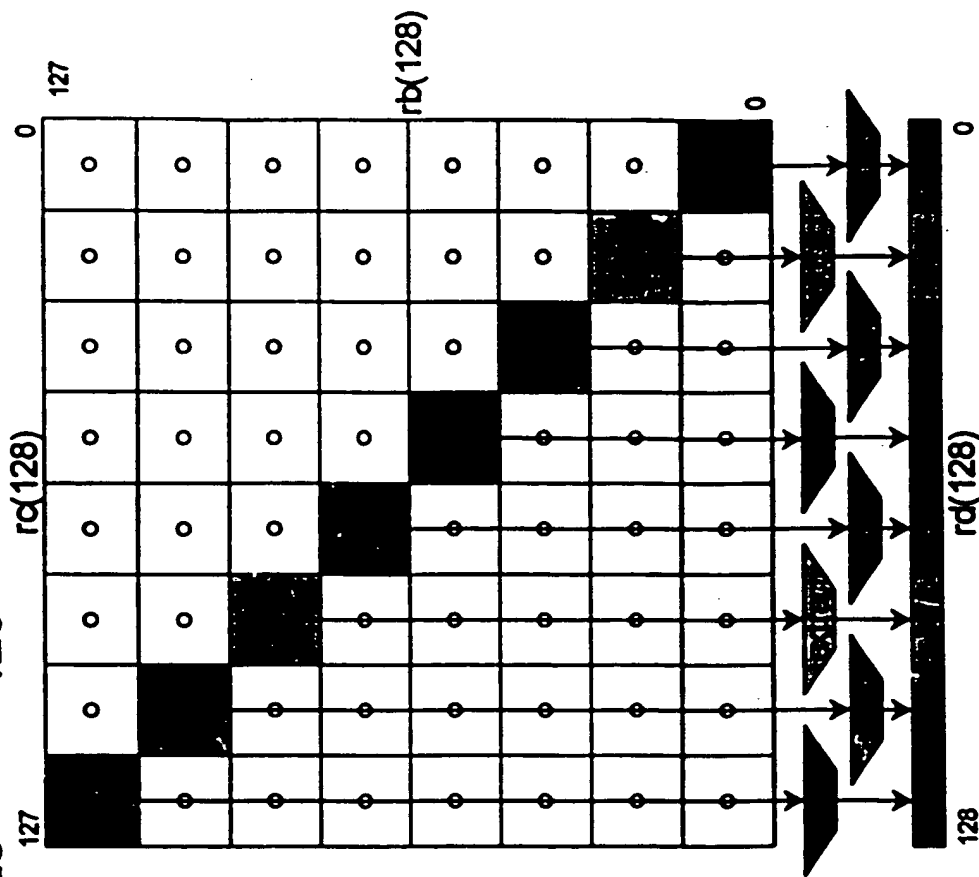
Ensemble multiply add extract

$$\blacksquare rd_{128} = rc_{128} * rb_{128} + rd_{128}$$



Ensemble multiply extract

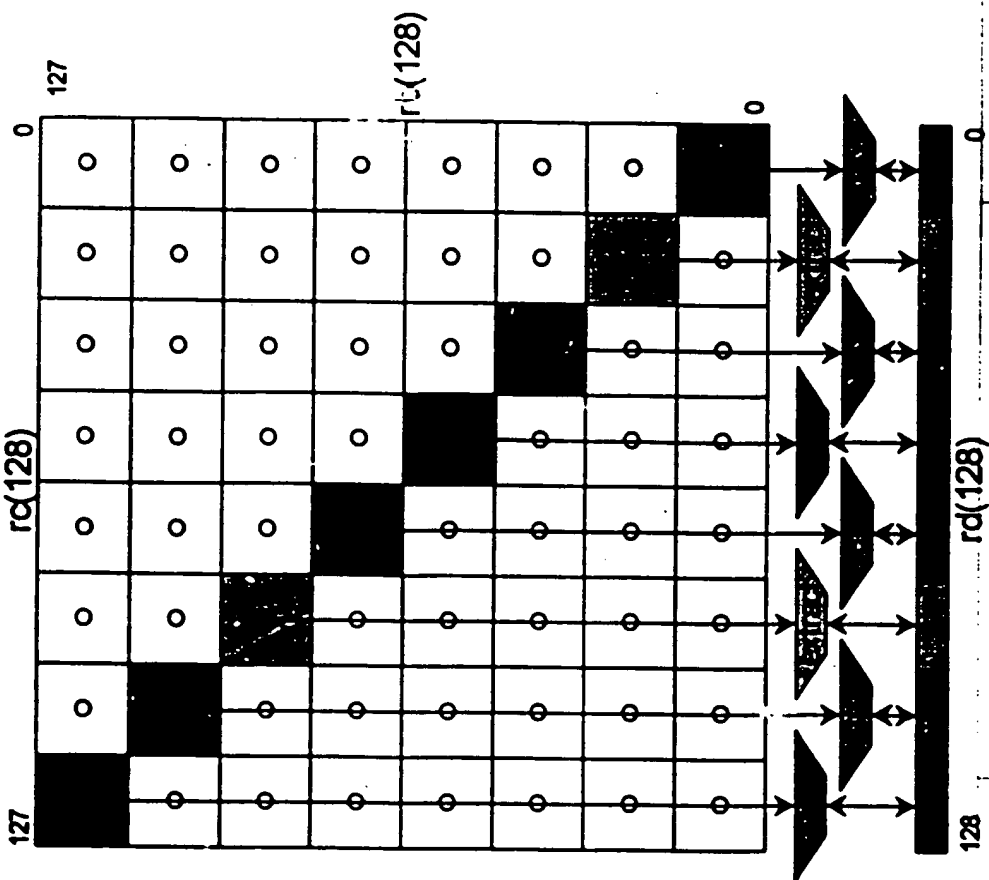
$$\blacksquare \text{ rd}_{128} = \text{rc}_{128} * \text{rb}_{128}$$





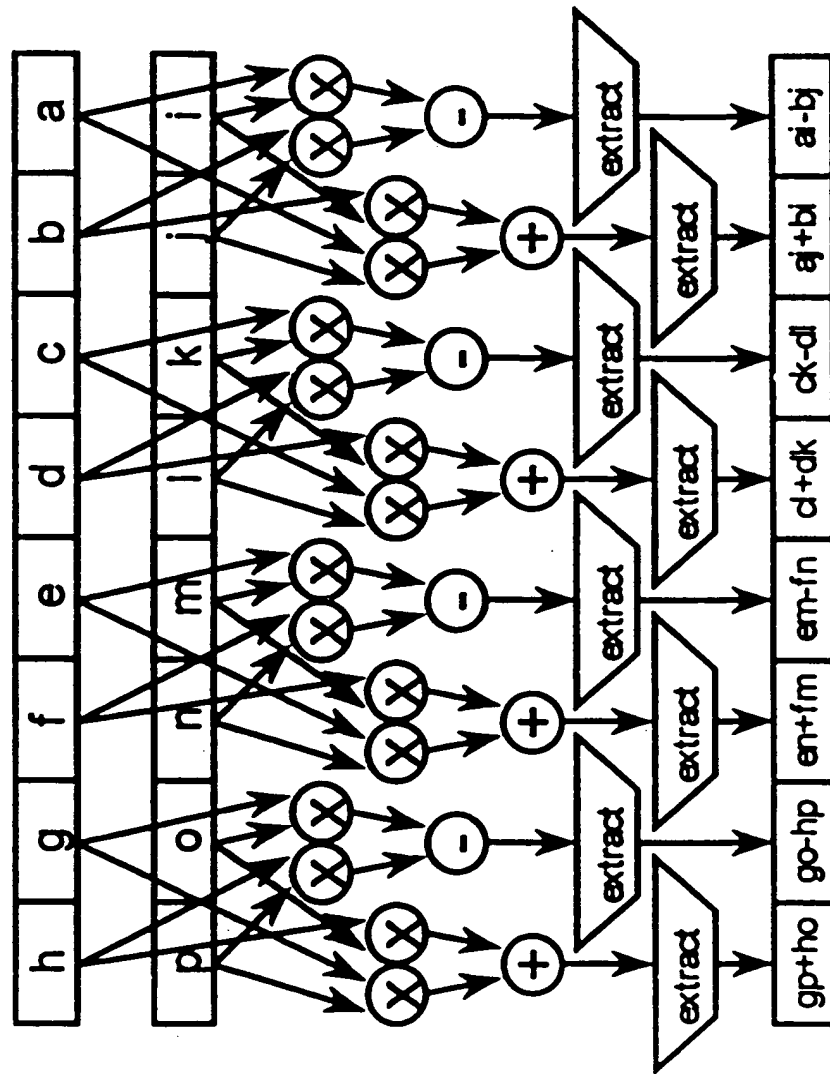
Ensemble multiply add extract

$$\blacksquare \text{ rd}_{128} = \text{rc}_{128} * \text{rb}_{128} + \text{rd}_{128}$$



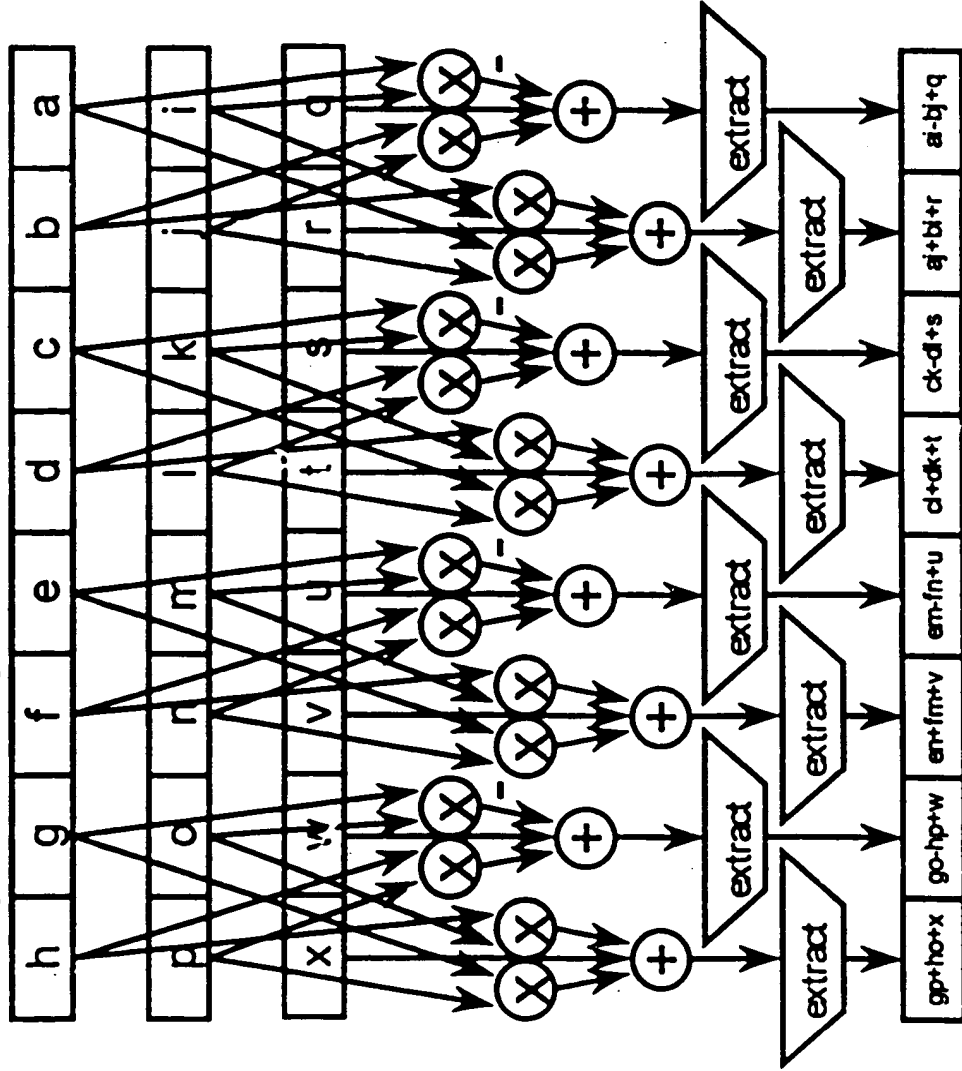
Ensemble multiply extract complex

$$\blacksquare \text{rd}_{128} = \text{rc}_{128} * \text{rb}_{128}$$



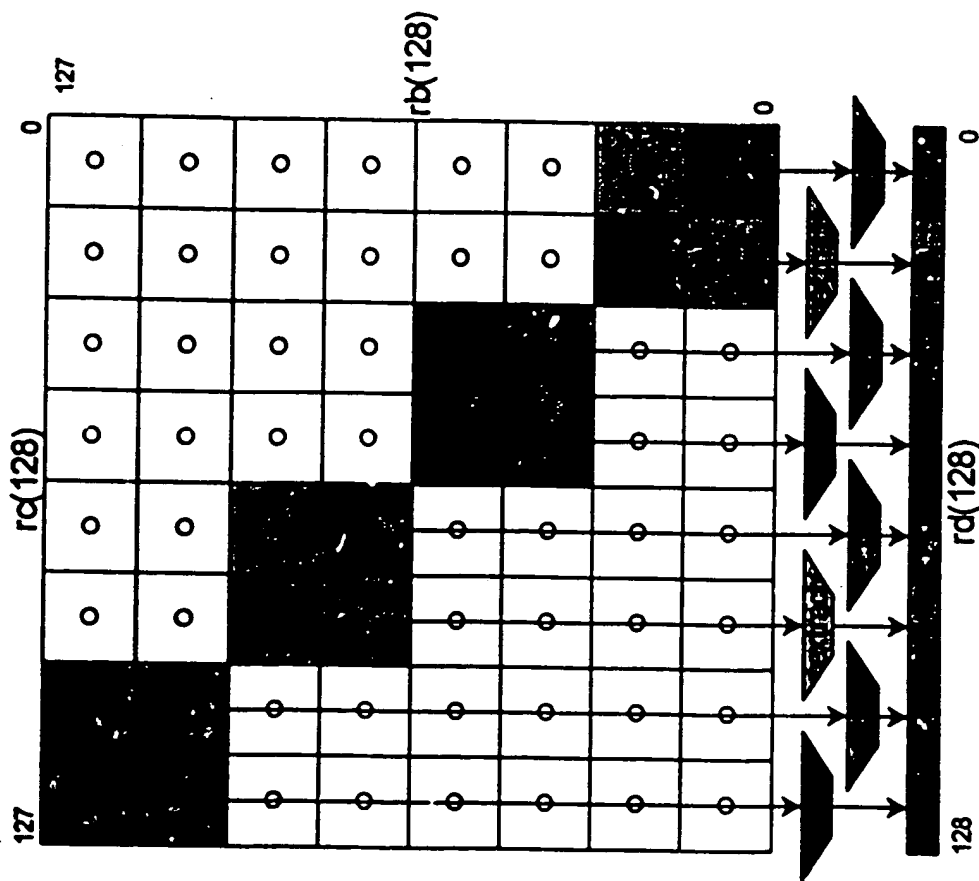
Ensemble multiply add extract complex

$$\blacksquare rd_{128} = rc_{128} * rb_{128} + rd_{128}$$



Ensemble multiply extract complex

$$\blacksquare rd_{128} = rc_{128} * rb_{128}$$

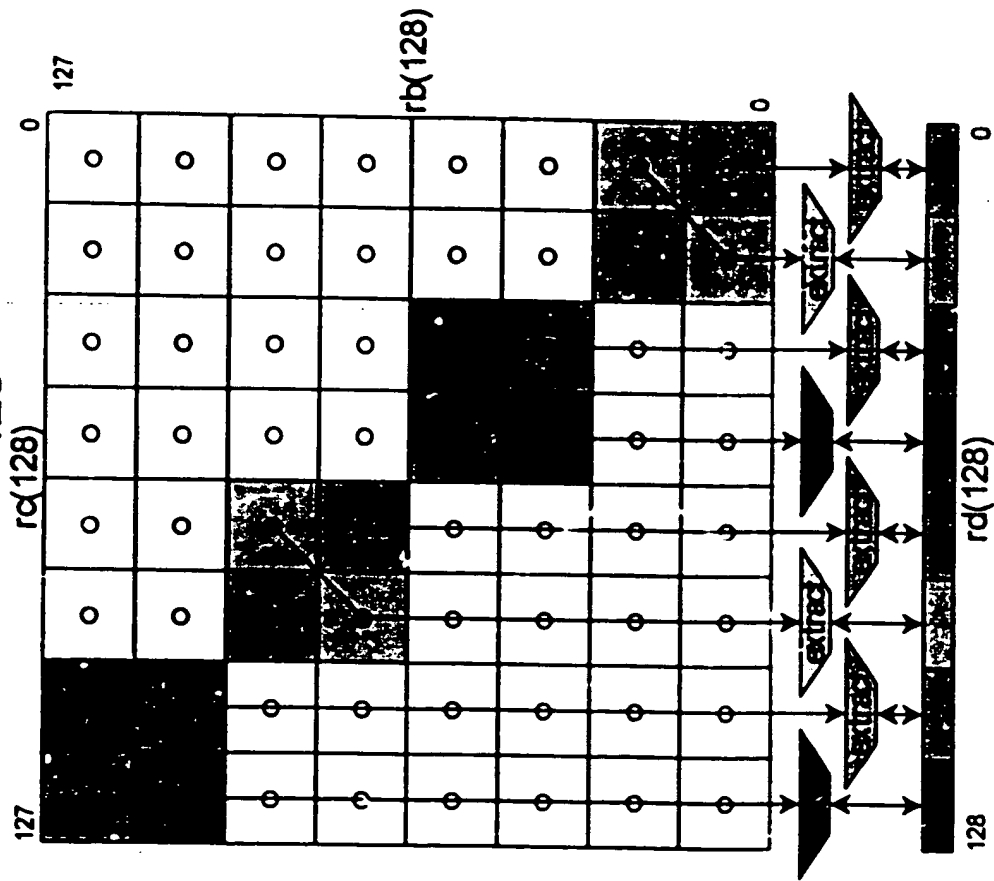


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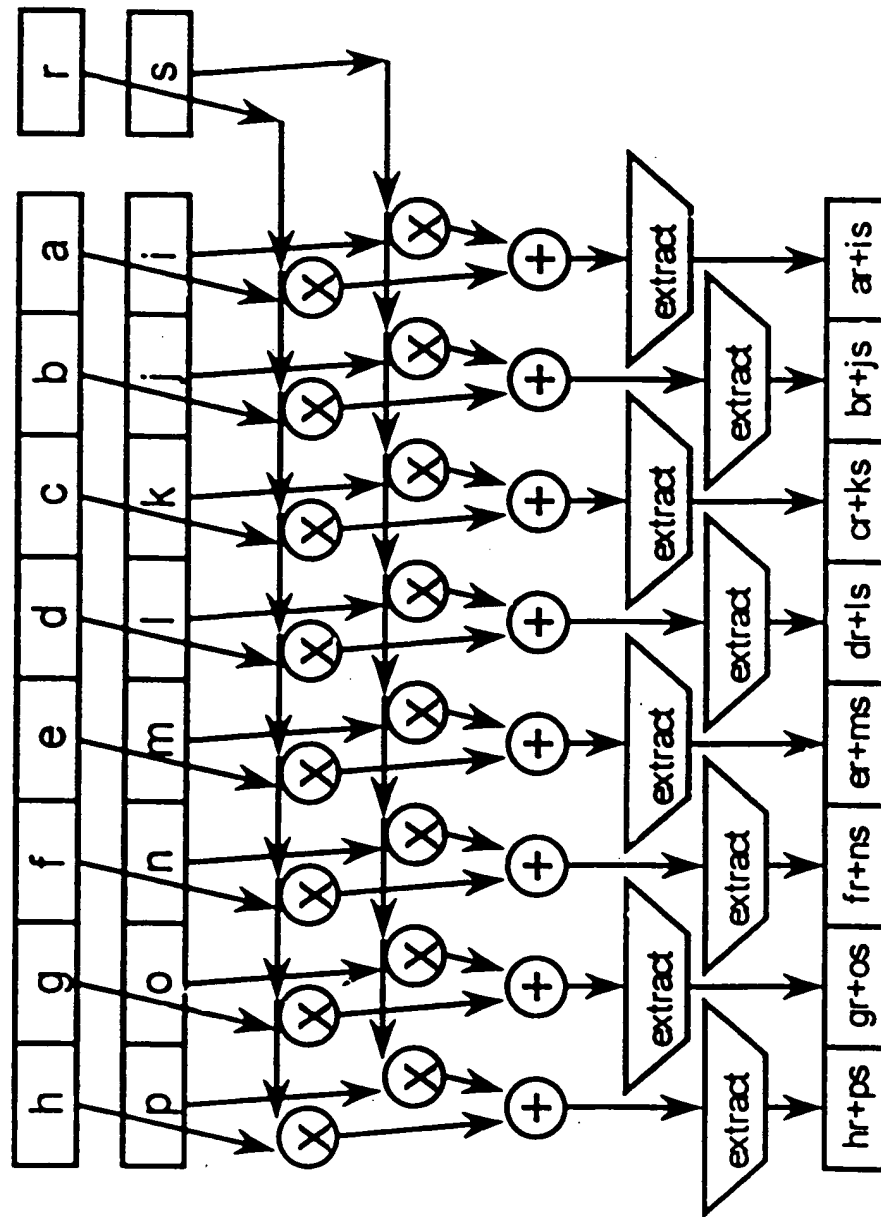
Ensemble multiply add extract complex

$$\blacksquare \text{rd}_{128} = \text{rc}_{128} * \text{rb}_{128} + \text{rd}_{128}$$



Ensemble scale add extract

$$\blacksquare ra_{128} = rd_{128} * rb_{size} + rc_{128} * rb_{size}$$





Ensemble scale add extract

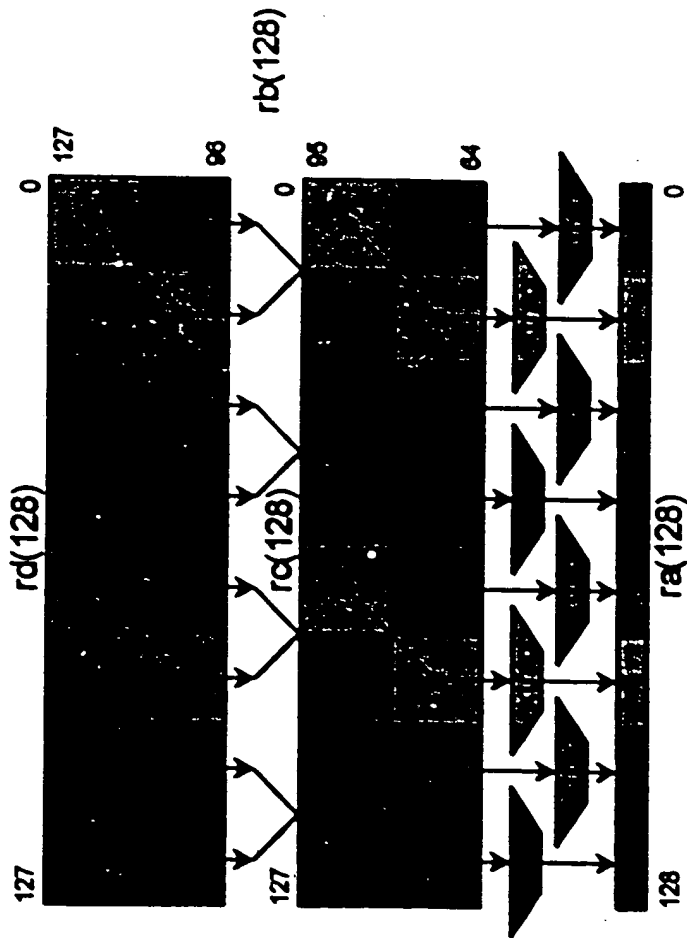
$$\blacksquare \text{ra}_{128} = \text{rd}_{128} * \text{rb}_{\text{size}} + \text{rc}_{128} * \text{rb}_{\text{size}}$$





Ensemble scale add extract complex

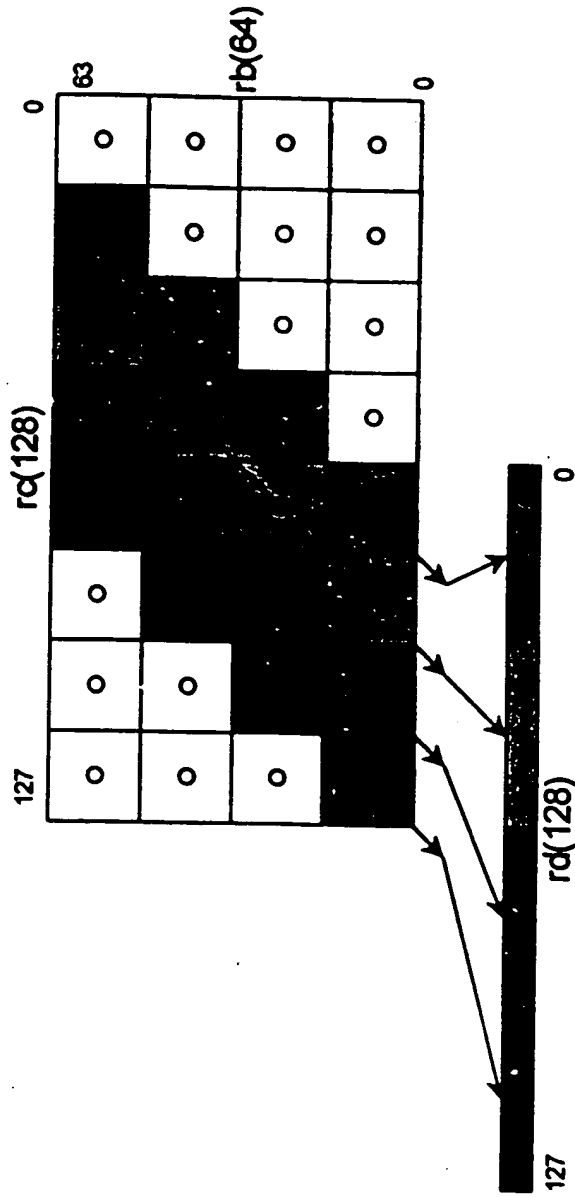
$$\blacksquare ra_{128} = rd_{128} * rb_{size*2} + rc_{128} * rb_{size*2}$$





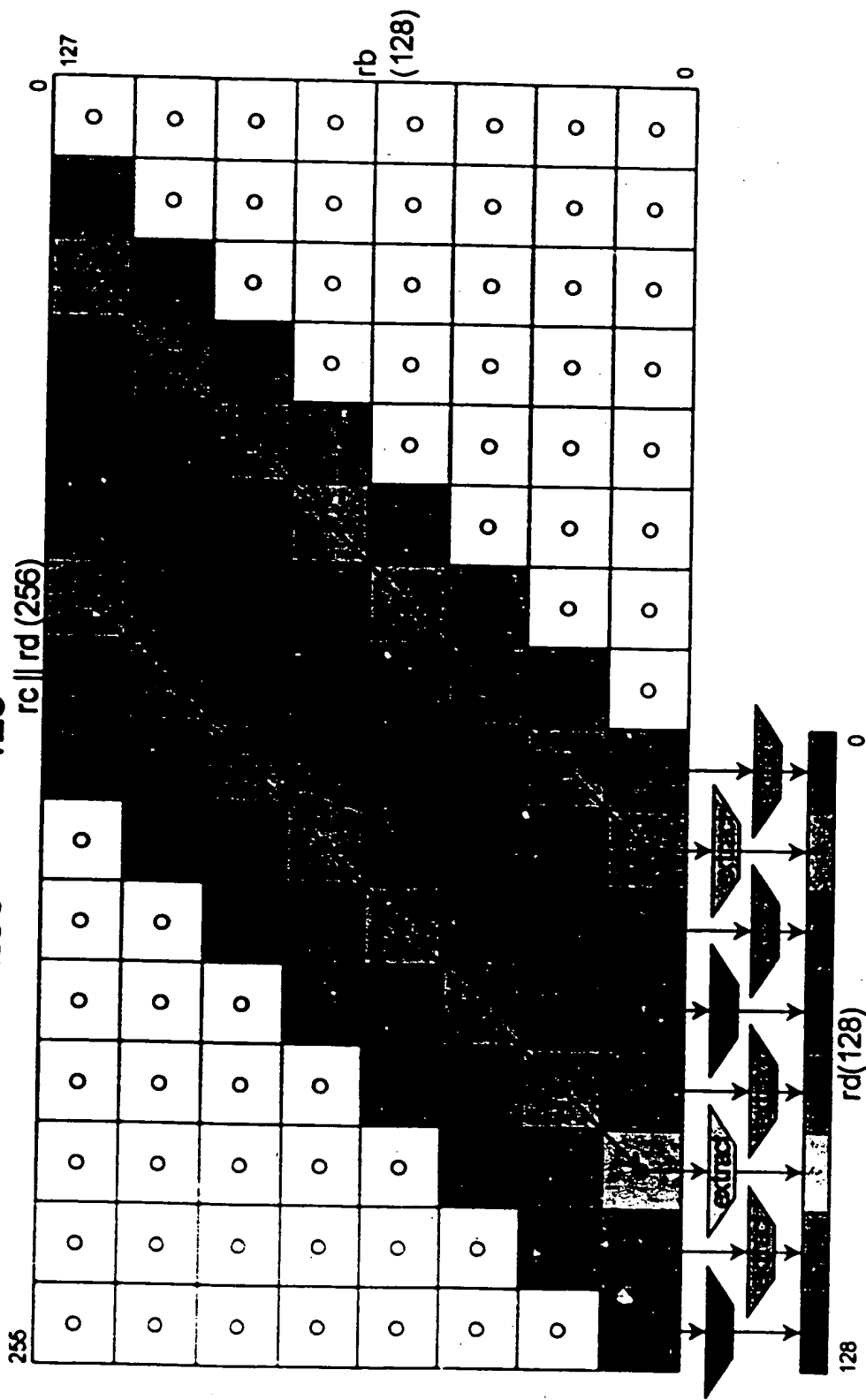
Ensemble convolve

$$\blacksquare rd_{128} = rc_{128} * rb_{64}$$



Ensemble convolve extract

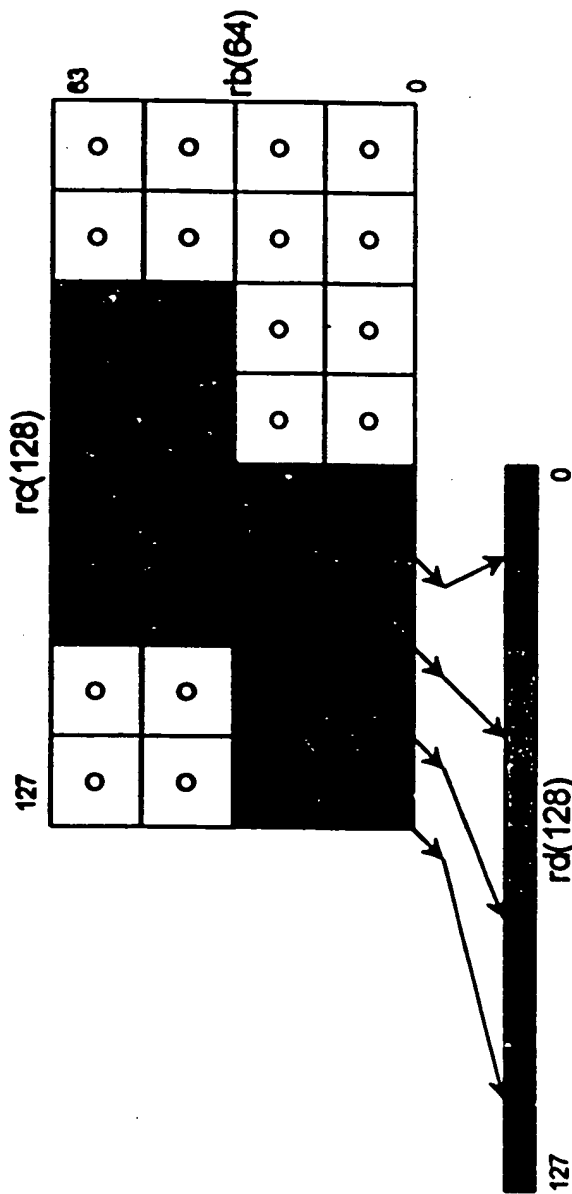
$$\blacksquare \text{rd}_{128} = (\text{rd} \parallel \text{rc})_{256} * \text{rb}_{128}$$





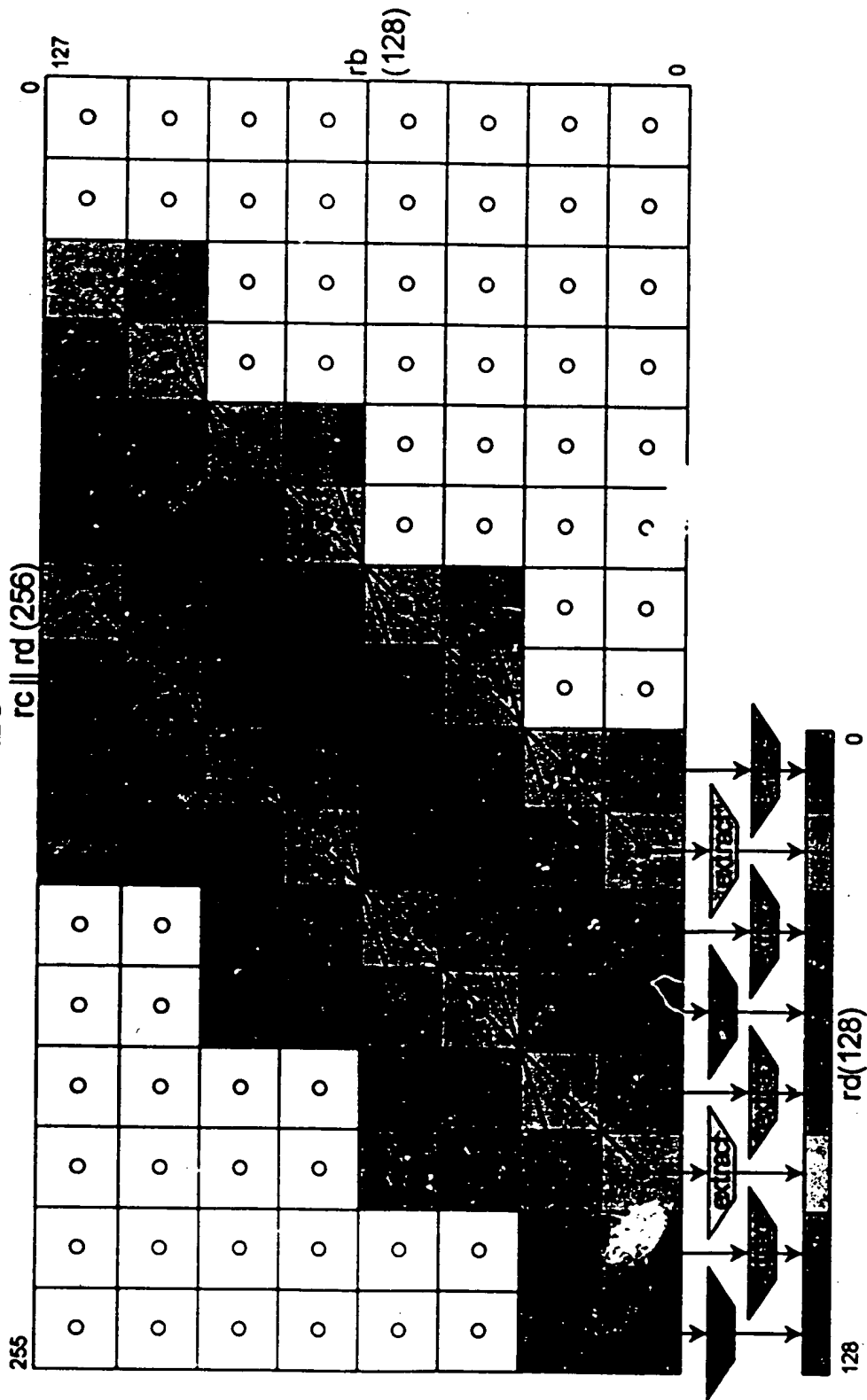
Ensemble convolve complex

$$\blacksquare \text{rd}_{128} = \text{rc}_{128} * \text{rb}_{64}$$



Ensemble convolve extract complex

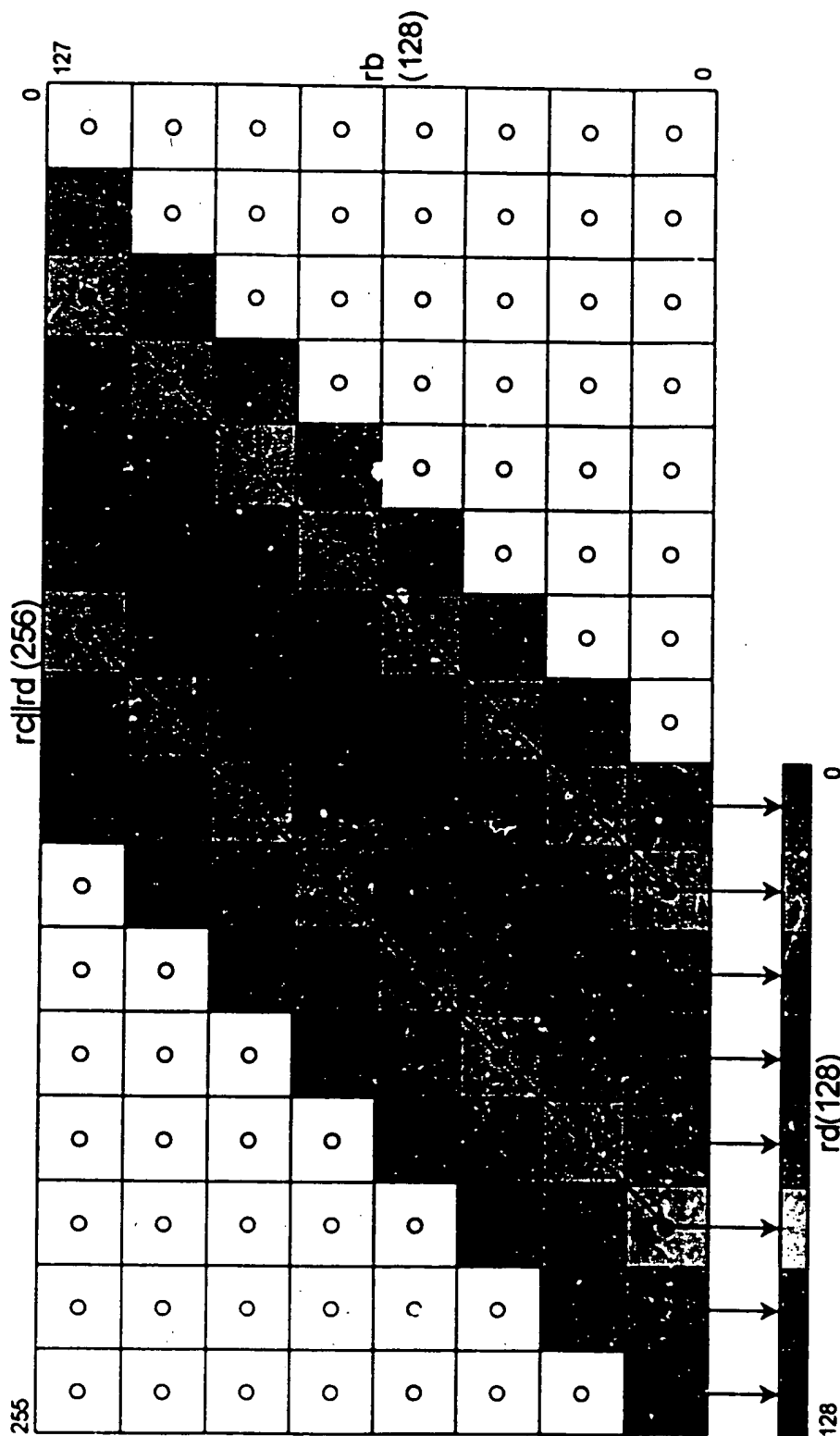
$$\mathbf{rd}_{128} = (\mathbf{rc} \parallel \mathbf{rd})_{256} * \mathbf{rb}_{128}$$





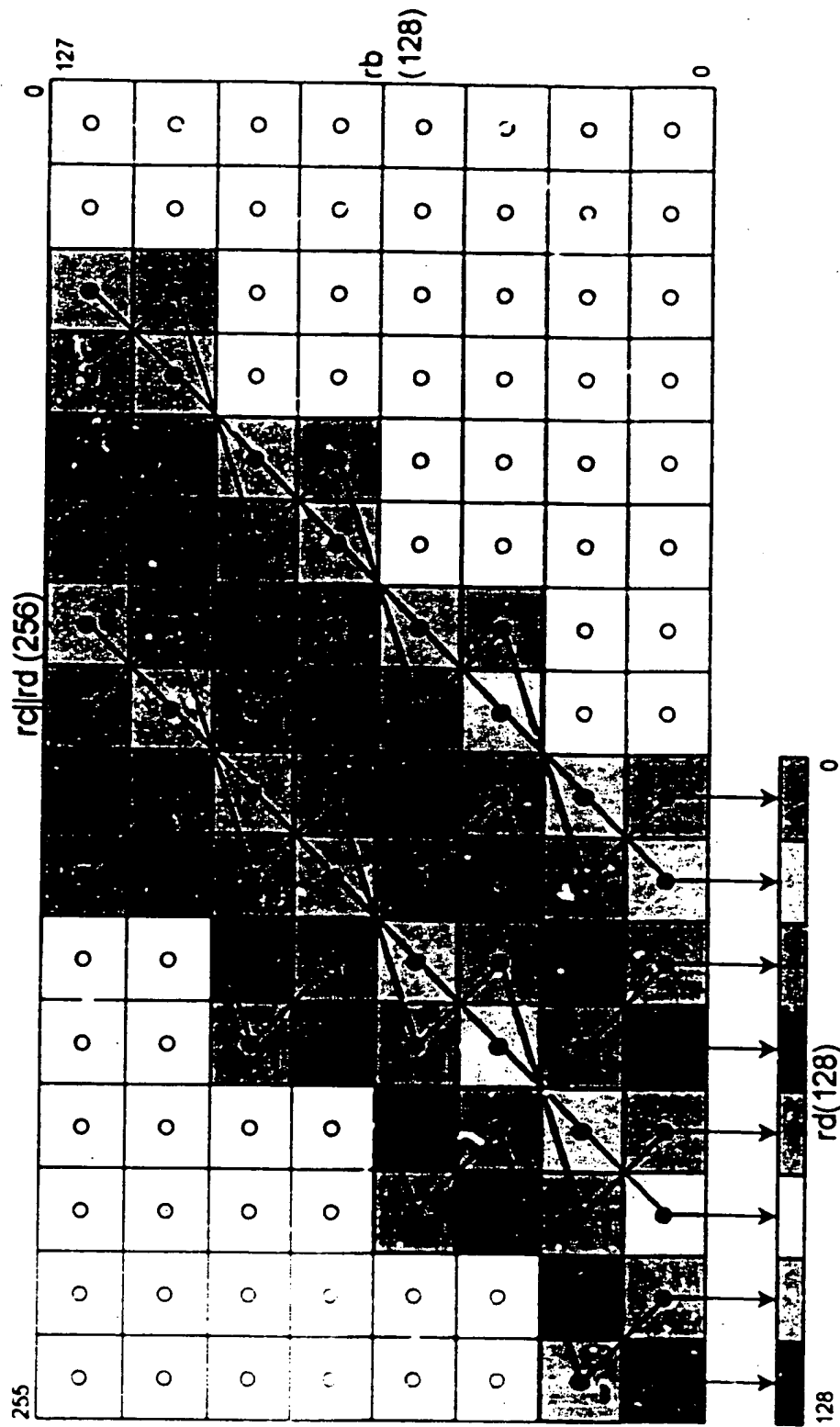
Ensemble convolve floating-point

$$\blacksquare \text{rd}_{128} = (\text{rc} \parallel \text{rd})_{256} * \text{rb}_{128}$$



Ensemble convolve complex floating-point

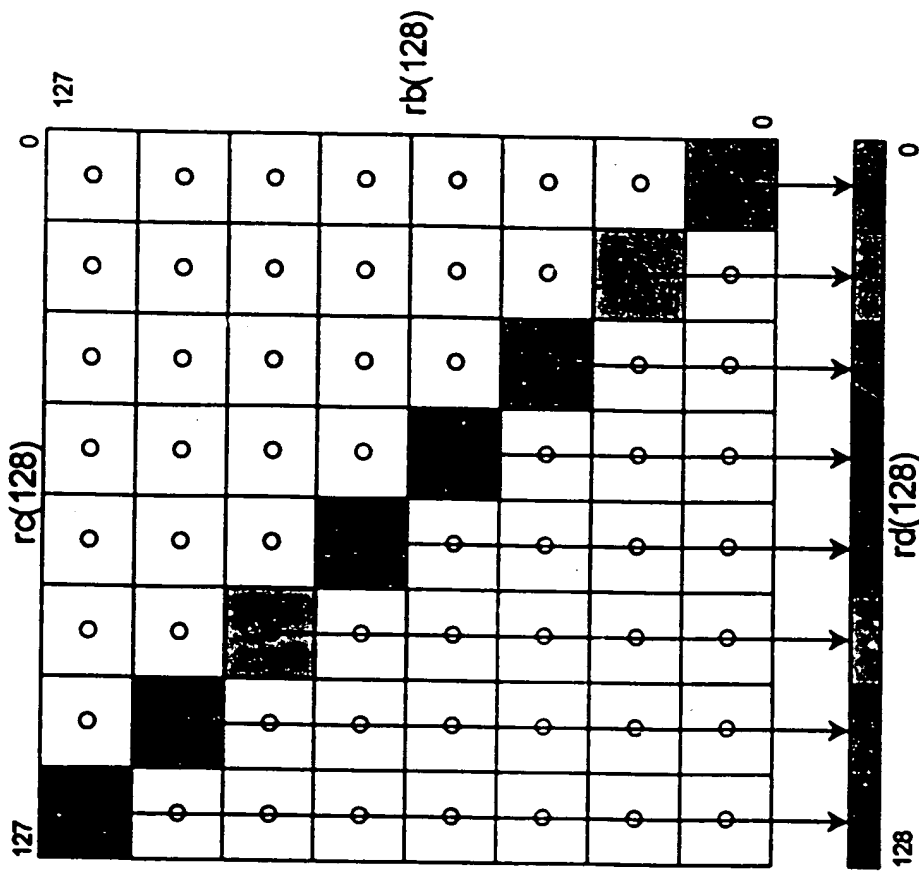
$$\blacksquare \text{rd}_{128} = (\text{rc} \parallel \text{rd})_{256} * \text{rb}_{128}$$





Ensemble multiply floating-point

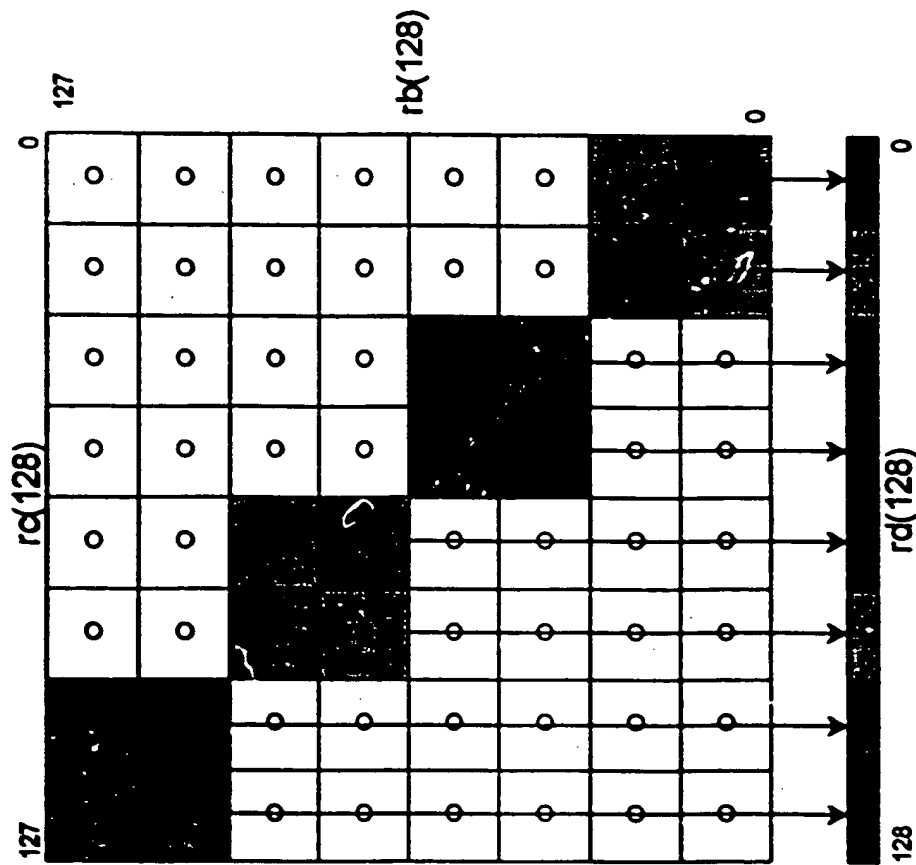
$$\blacksquare rd_{128} = rc_{128} * rb_{128}$$





Ensemble multiply floating-point complex

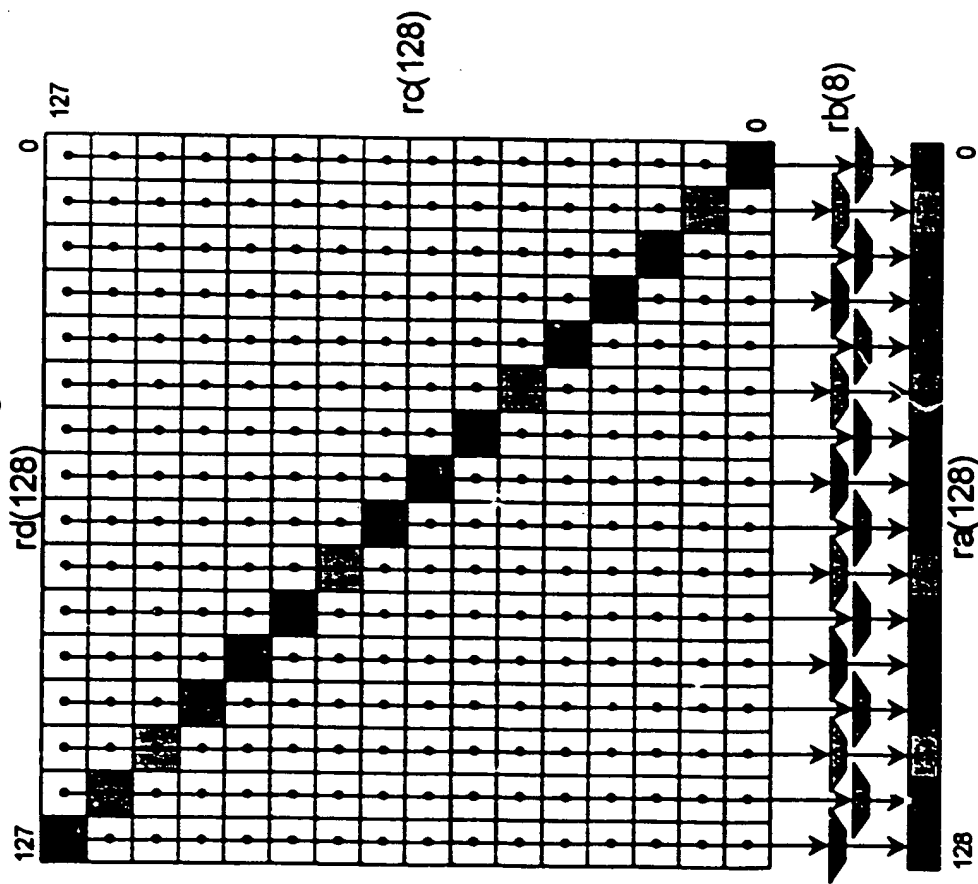
$$\blacksquare \text{rd}_{128} = \text{rc}_{128} * \text{rb}_{128}$$





Ensemble multiply Galois

$$\blacksquare ra_{128} = rd_{128} * rc_{128} \bmod rb_8$$





Wide Instructions

- Wide Multiply Matrix E
- Wide Switch X
- Wide Table L

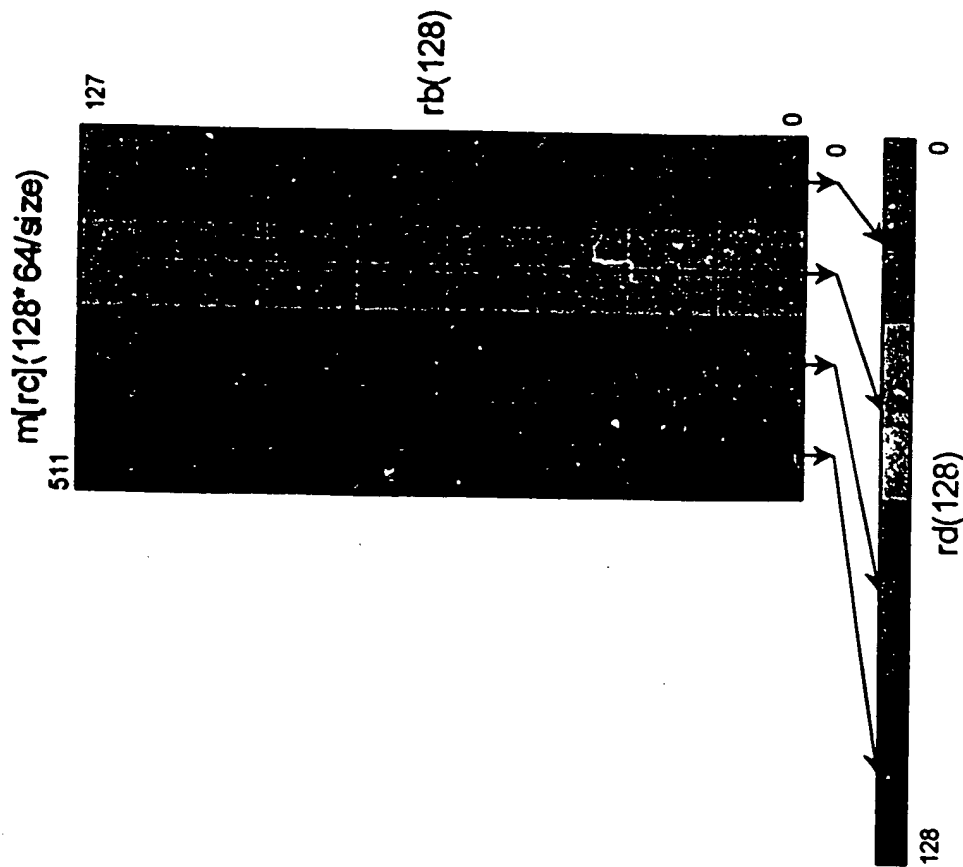


Wide size and shape

- operations up to 128x128
- full size not always required
- optional bits set in address
 - ◆ sets operand size
 - ◆ sets operand width
- operand aligned to specified size
- smaller size may use fewer cycles
 - ◆ to load operand cache
 - ◆ to perform operation

Wide multiply matrix

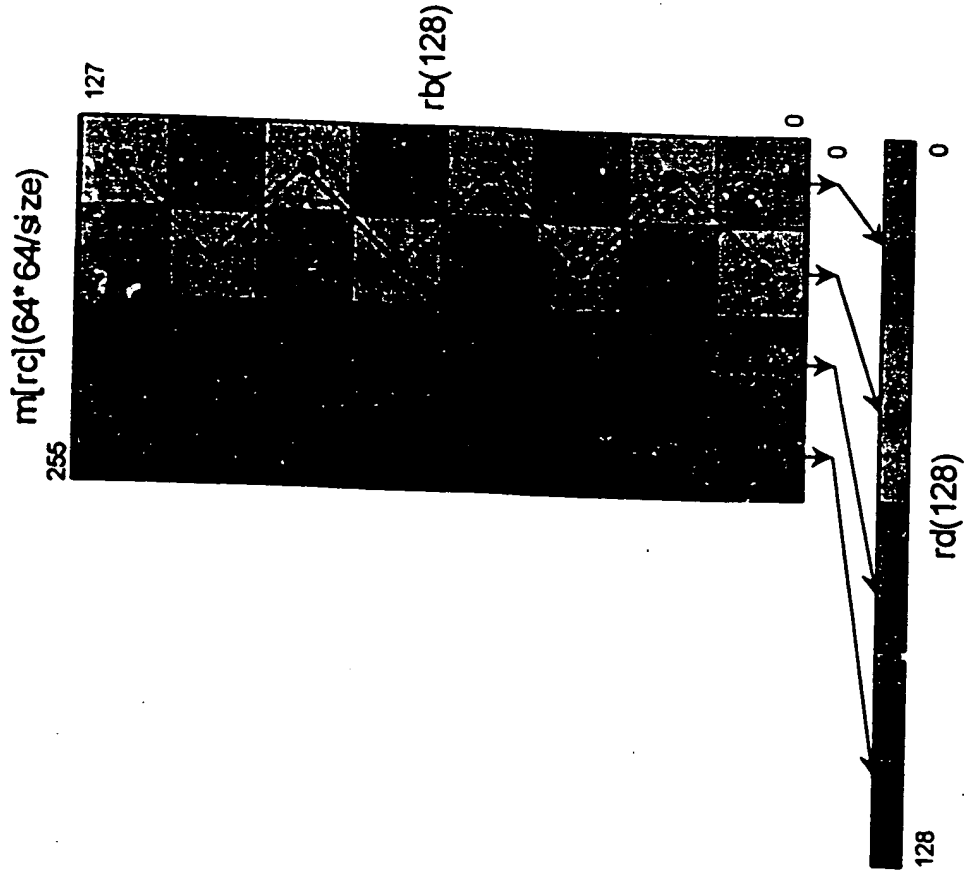
$$\blacksquare rd_{128} = m[rc]_{(128 \times 64 / size)} * rb_{128}$$





Wide multiply matrix complex

$$\blacksquare \text{rd}_{128} = \text{m}[\text{rc}]_{(64*64/\text{size})} * \text{rb}_{128}$$

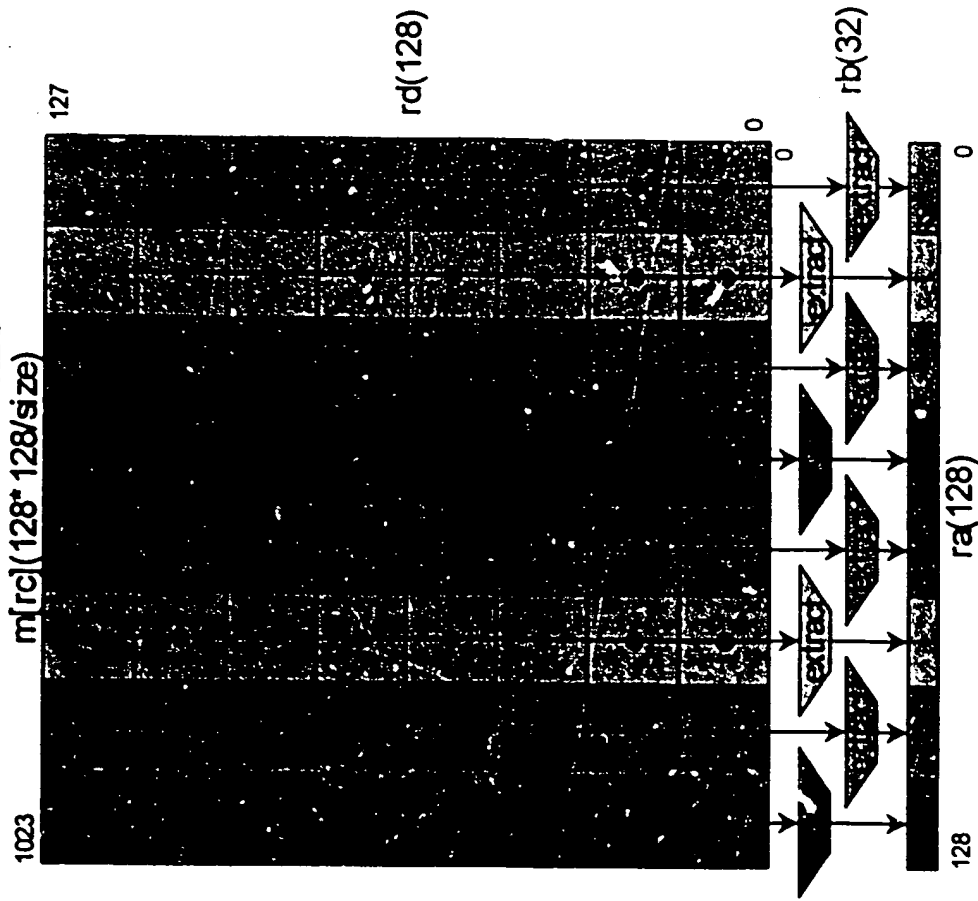


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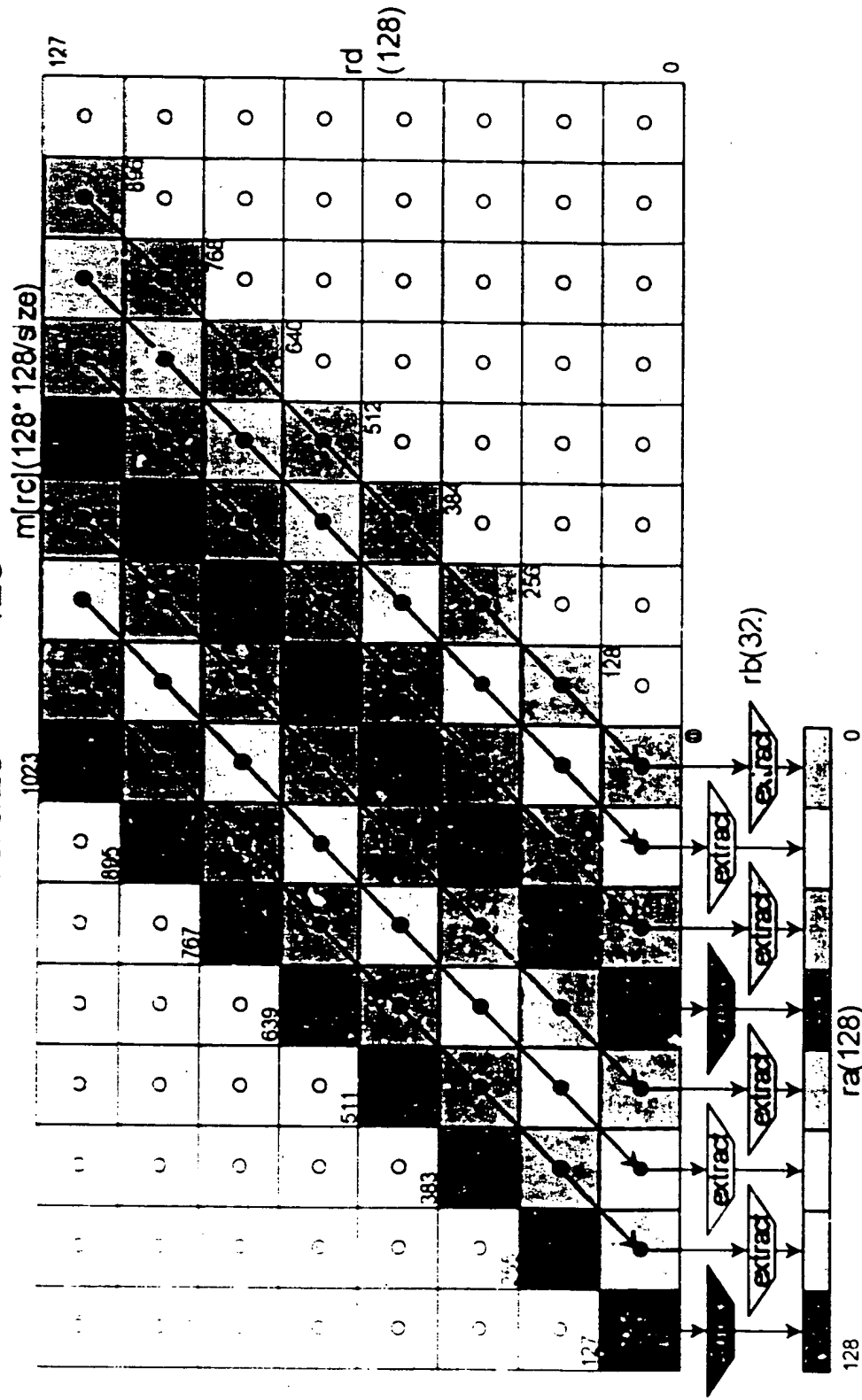
Wide multiply matrix extract

$$\blacksquare \text{ra}_{128} = \text{m}[\text{rc}]_{128 \times 128 / \text{size}} * \text{rd}_{128}$$



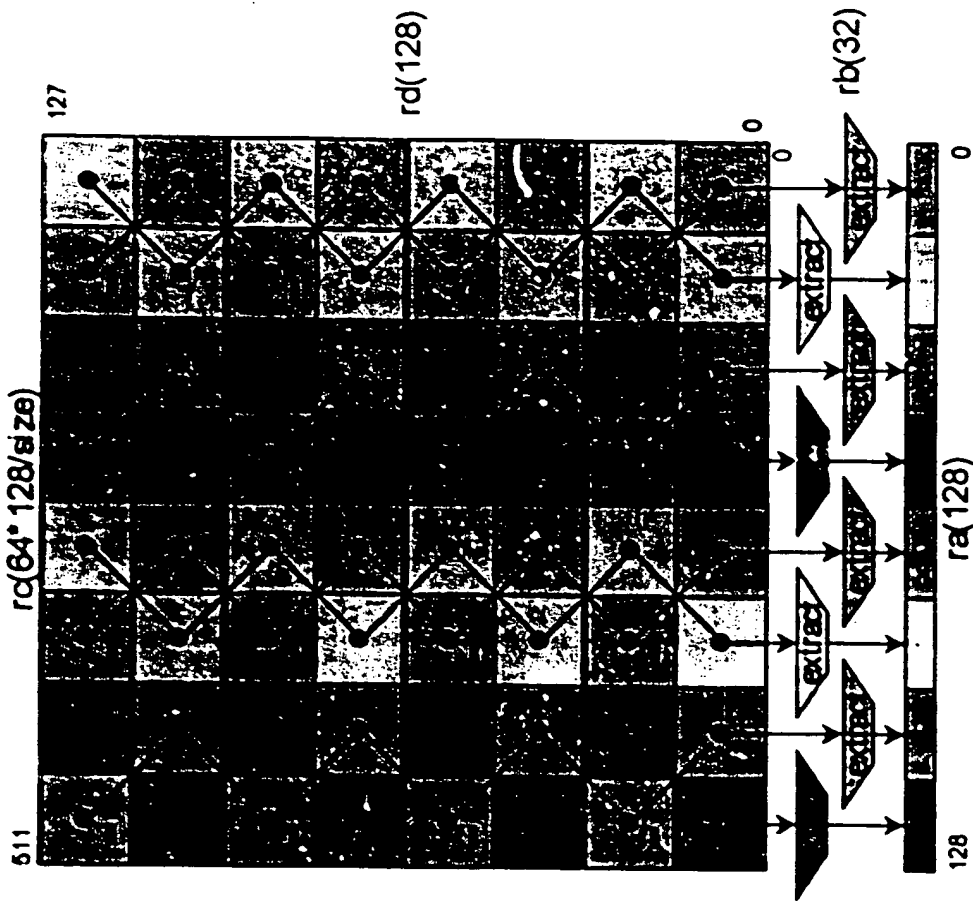
Wide multiply matrix extract

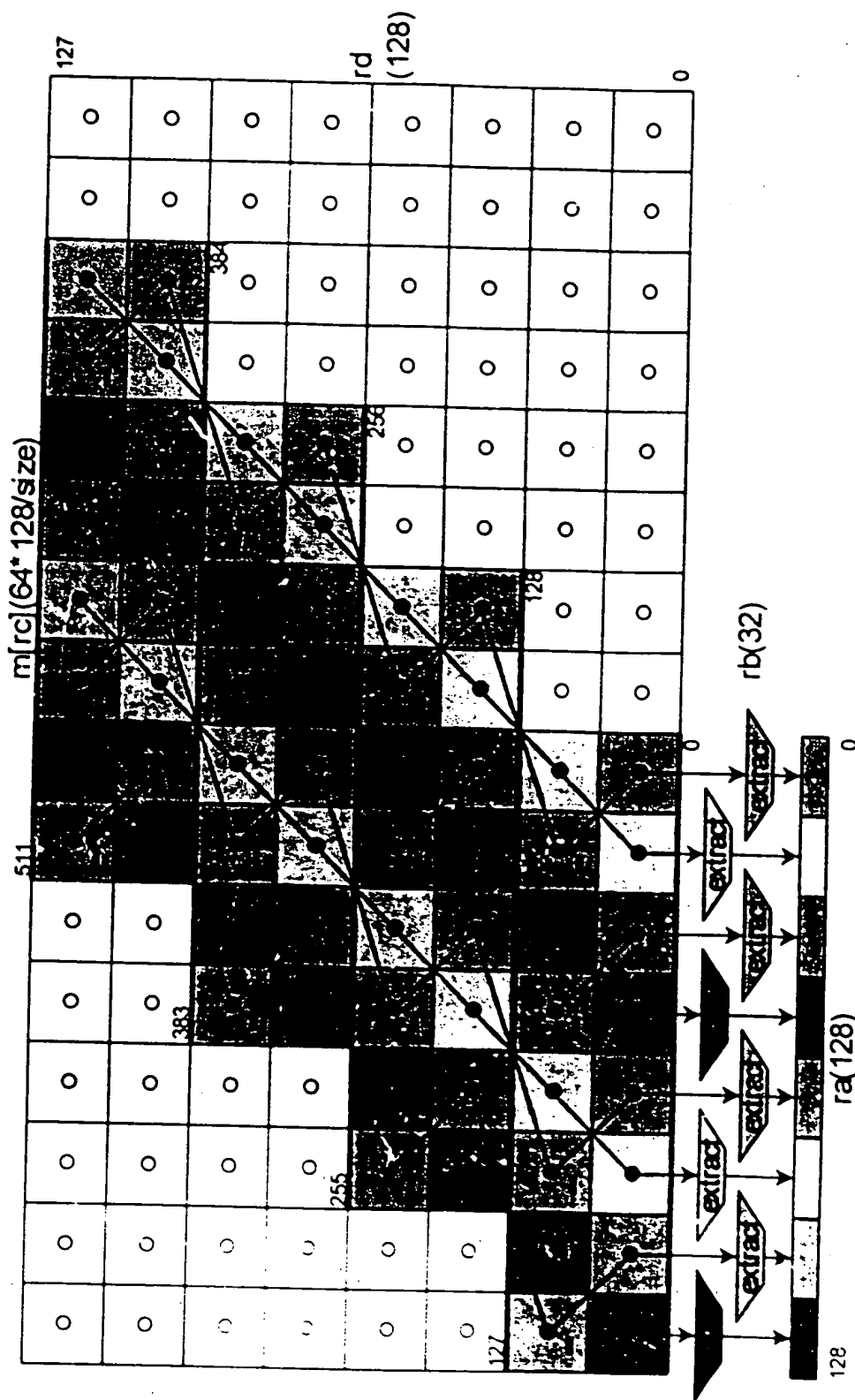
$$\blacksquare \text{ra}_{128} = \text{m}[\text{rc}]_{128 \times 128/\text{size}} * \text{rd}_{128}$$



Wide multiply matrix extract complex

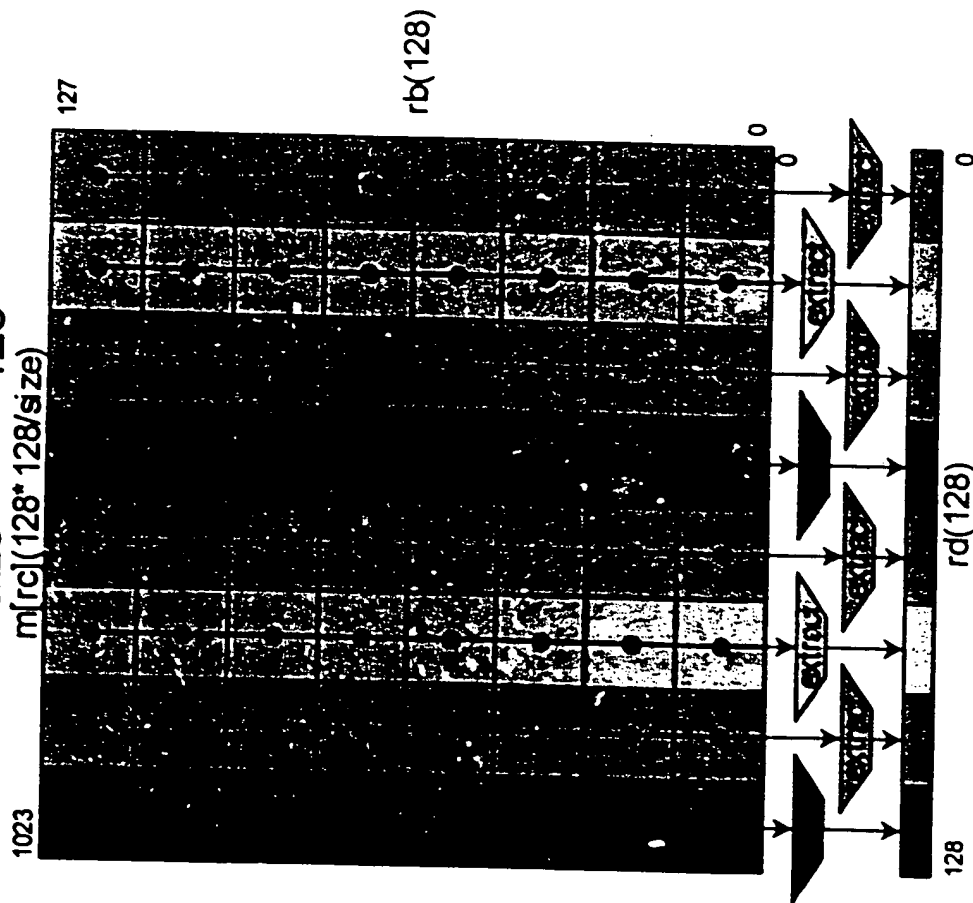
$$\blacksquare ra_{128} = m[rc]_{64 \times 128 / size} * rd_{128}$$



$$\blacksquare \text{ ra}_{128} = \text{m}[\text{rc}]_{64 \times 128/\text{size}}^* \text{ rd}_{128}$$


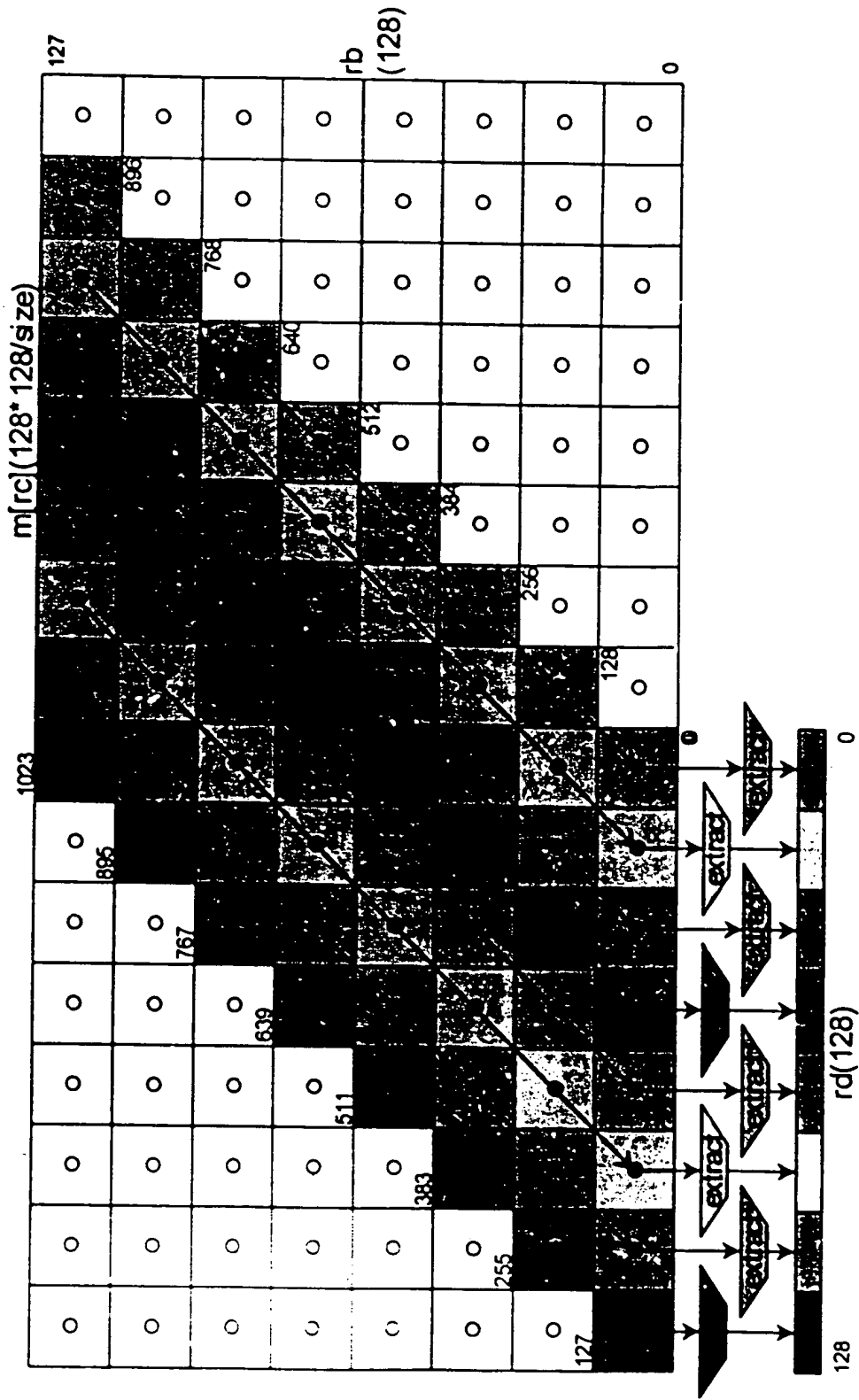
Wide multiply matrix extract immediate

$$\blacksquare \text{rd}_{128} = \text{m}[\text{rc}]_{128 \times 128 / \text{size}} * \text{rb}_{128}$$



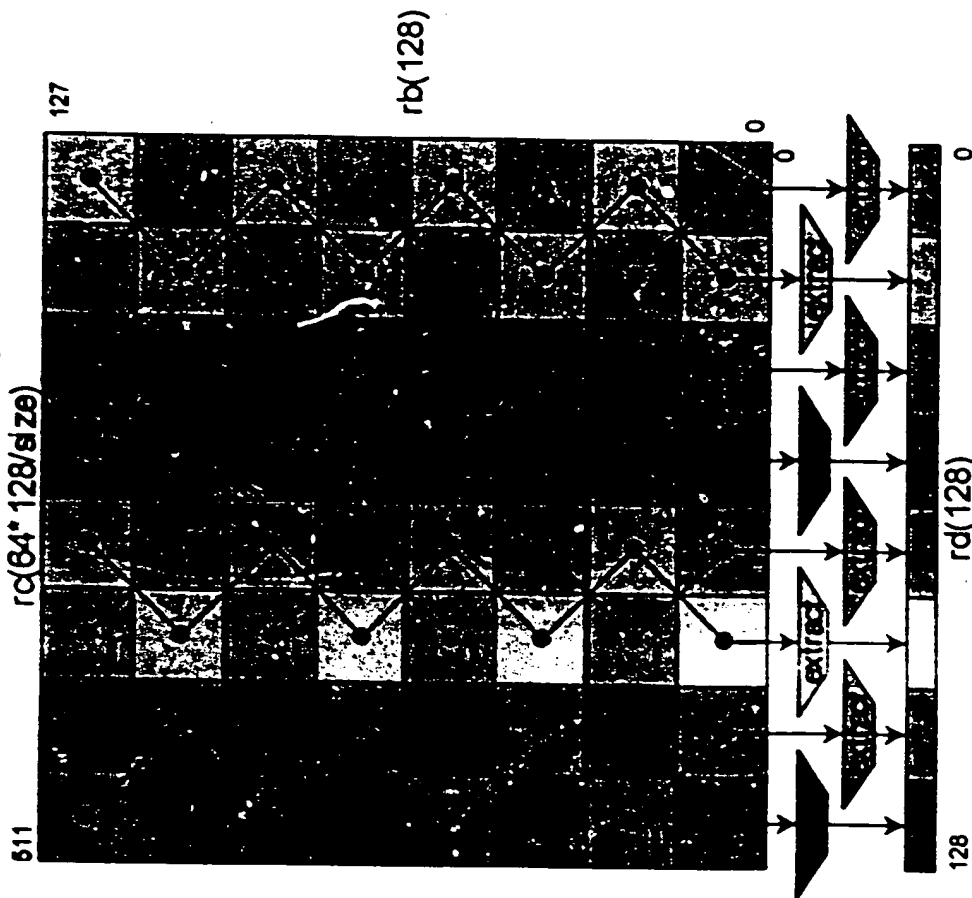
Wide multiply matrix extract immediate

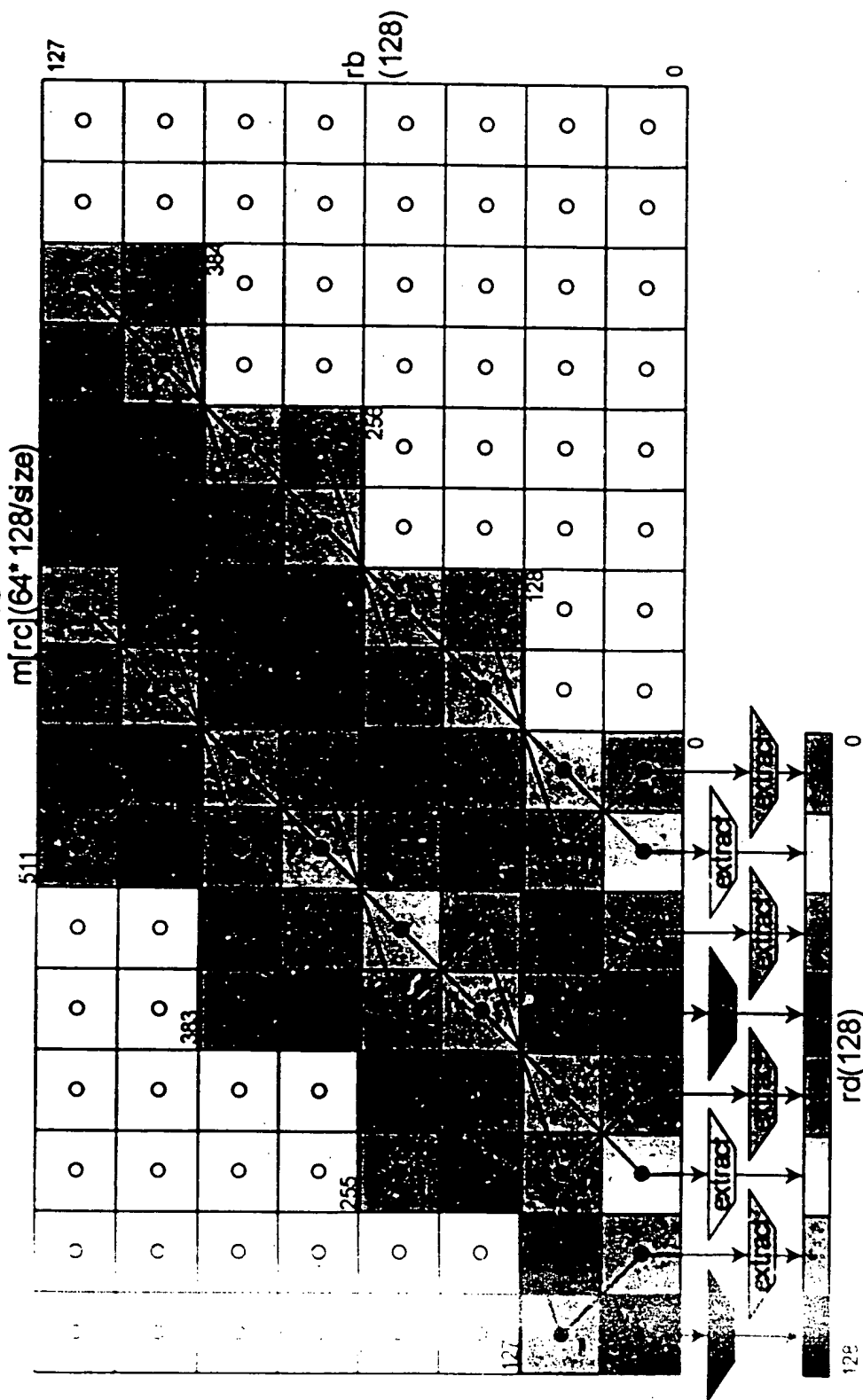
$$\blacksquare \text{rd}_{128} = \text{m}[\text{rc}]_{128 \times 128 / \text{size}} * \text{rb}_{128}$$



Wide multiply matrix extract immediate complex

$$rc_{128} = m[rc]_{64 \times 128 / \text{size}} * rb_{128}$$

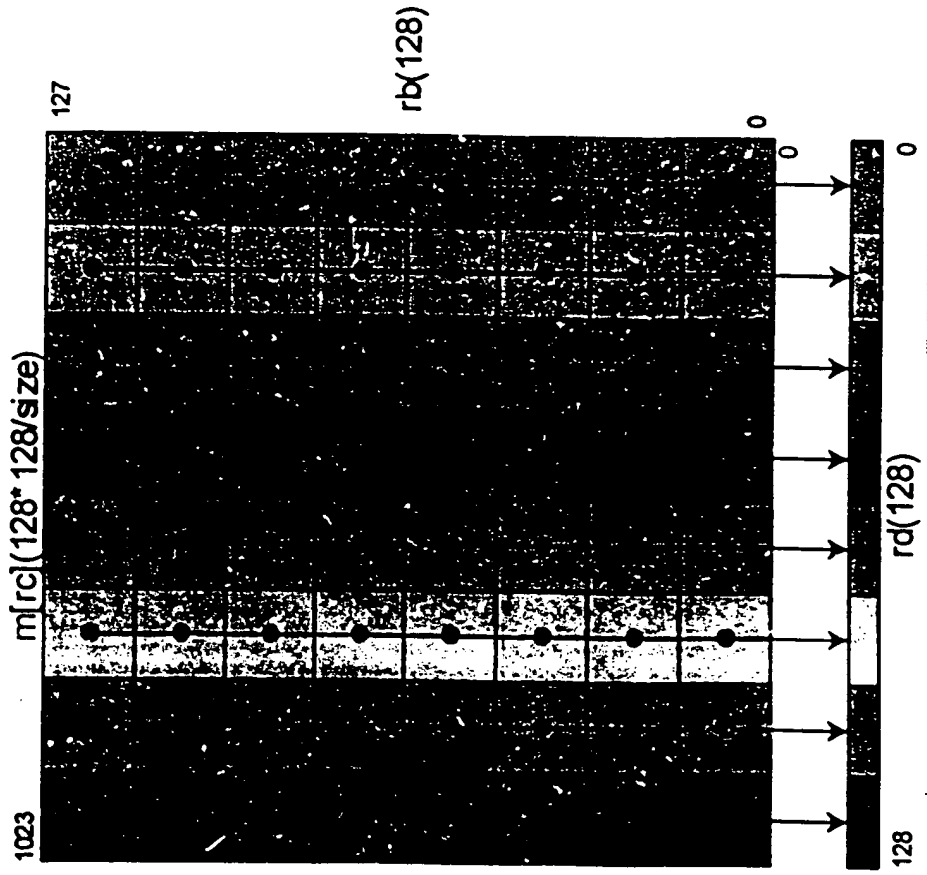


$$\blacksquare \text{ rd}_{128} = \text{m}[\text{rc}]_{64*128/\text{size}}^* \text{rb}_{128}^*$$




Wide multiply matrix floating-point

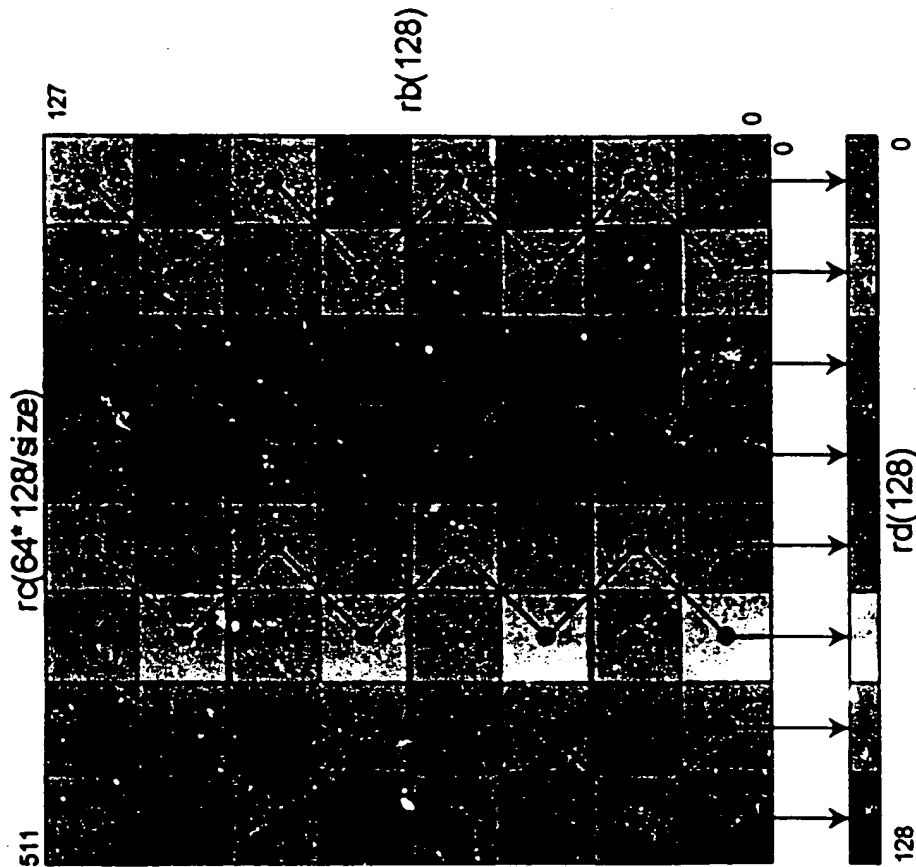
$$\blacksquare \text{rd}_{128} = \text{m}[\text{rc}]_{128 \times 128 / \text{size}} * \text{rb}_{128}$$





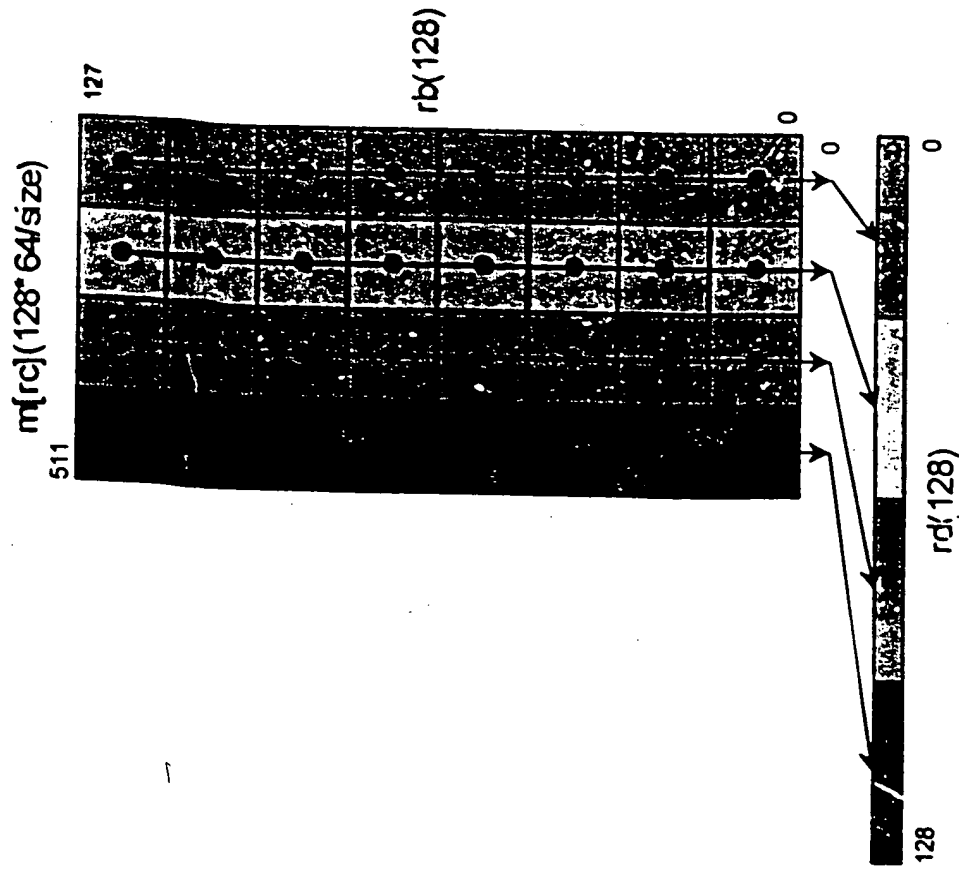
Wide multiply matrix complex floating-point

$$\blacksquare \text{rd}_{128} = \text{m}[\text{rc}]_{64 \times 128/\text{size}} * \text{rb}_{128}$$



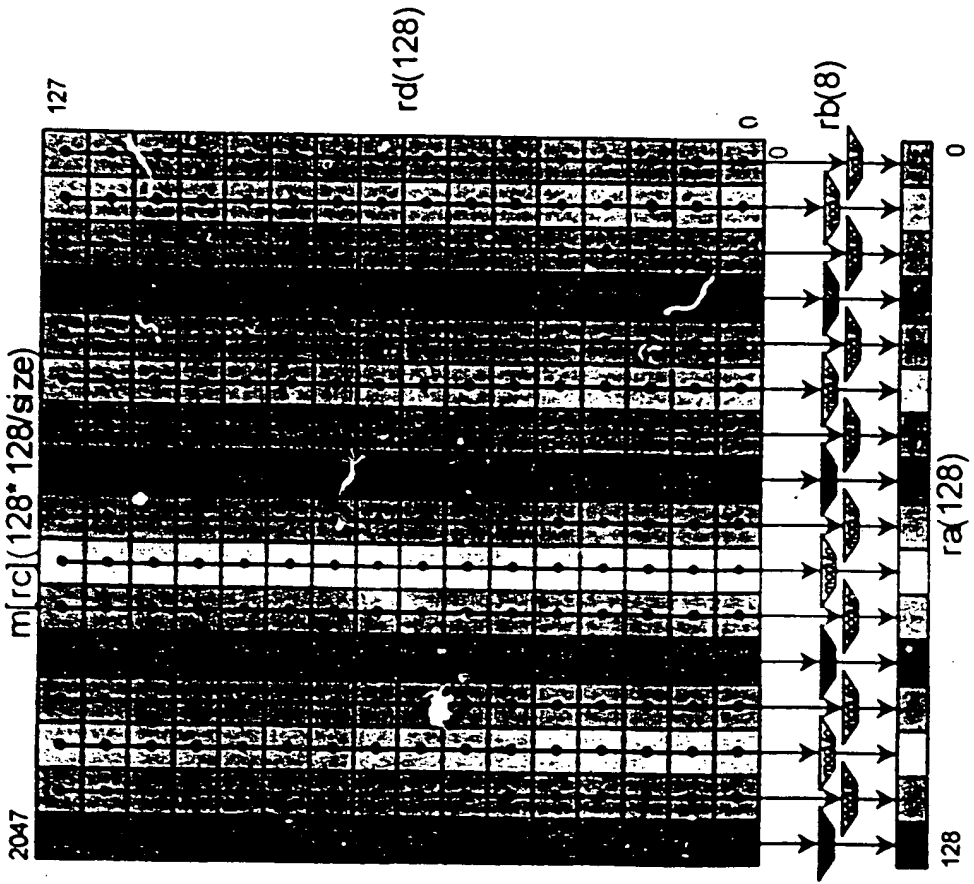
Wide multiply matrix polynomial

$$\blacksquare \text{rd}_{128} = \text{m[rc]}_{(128 \times 64/\text{size})} * \text{rb}_{128}$$



Wide multiply matrix Galois

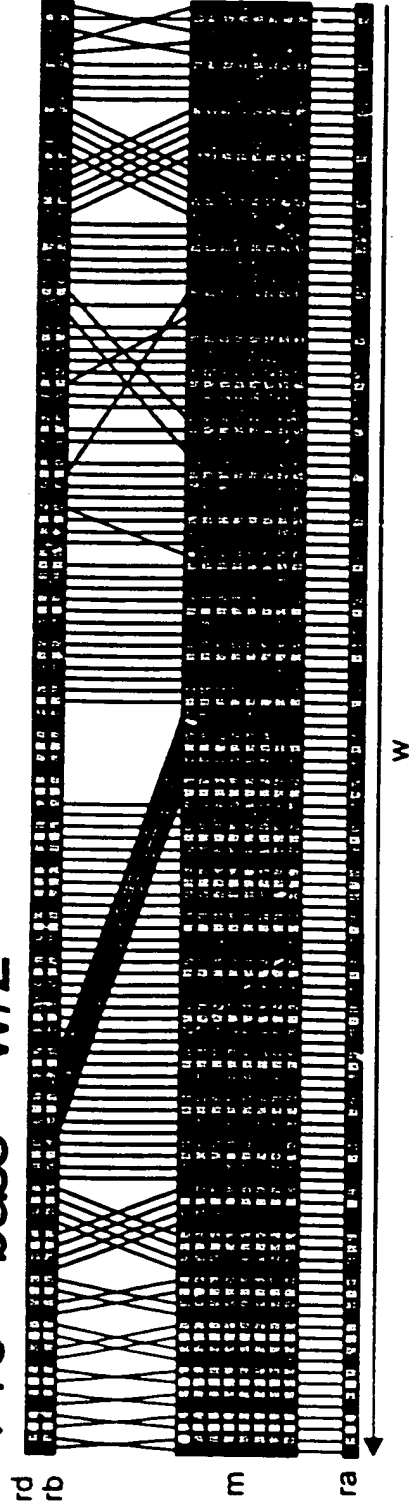
$$\blacksquare \text{ra}_{128} = \text{m}[\text{rc}]_{128 \times 128 / \text{size}} * \text{rd}_{128} \bmod \text{rb}_8$$



Wide switch

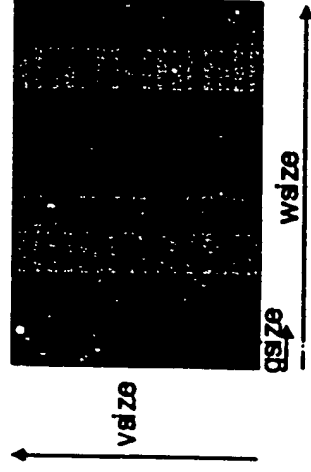
- $j(i) = m[rc]_{7w+i, 6w+i, 5w+i, 4w+i, 3w+i, 2w+i, w+i, i}$
- $ra_j = (rd \parallel rb)_j, i=0..127$
- rc specifies address and w

◆ $rc = \text{base} + w/2$



Wide Table

- Table lookup
 - ◆ msiz: total table size
 - ◆ wsize: table width
 - ◆ vsize: table depth
 - ◆ gsize: Group size (table granularity)
- $j(i) = b_{\lfloor vsize-1+i \rfloor * wsize + i \rfloor wsize - 1}..0$
- $rd_{i+gsiz-1..i} = m[rc]_{j+gsiz-1..j}, i=0..128-gsiz \text{ by } gsize$
- rc specifies address, msiz, wsize
 - ◆ $rc = base + msiz/16 + wsize/16$
 - ◆ $vsize = msiz/wsize$





Summary

- Order-of-magnitude multiply performance increase
 - ◆ matrix multiply
 - ◆ convolve
- Wide switch: bit permutation
- Wide select: table lookup



BroadMX™ vs. MMX™

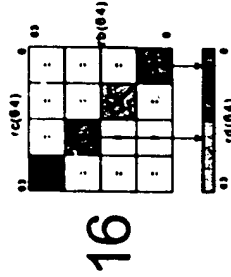
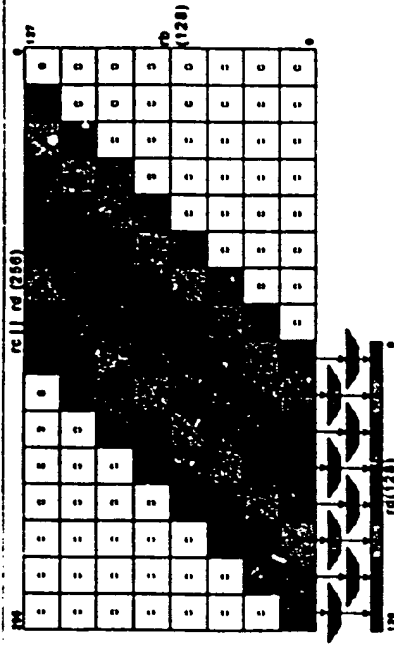
Convolve Extract

- ◆ 64 Multiplies
- ◆ 56 Adds
- ◆ 08 Extract w/round

MMX Instructions

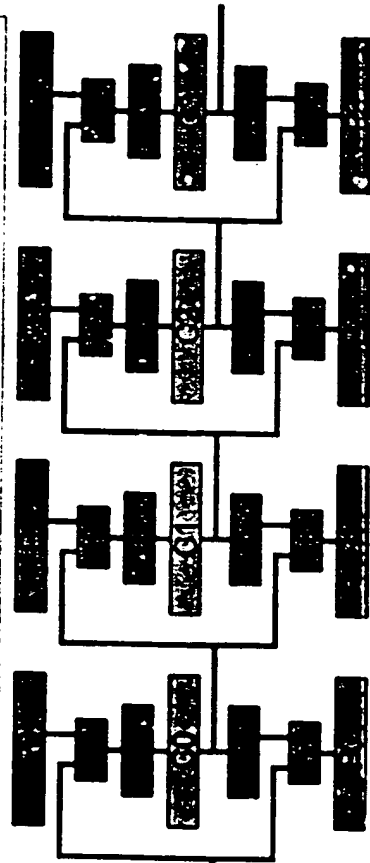
- ◆ 16 MOV
- ◆ 16 PMADDWD
- ◆ 12 PADDD
- ◆ 08 PSHW
- ◆ 04 PSHR
- ◆ 02 PACK

- ◆ 58 total

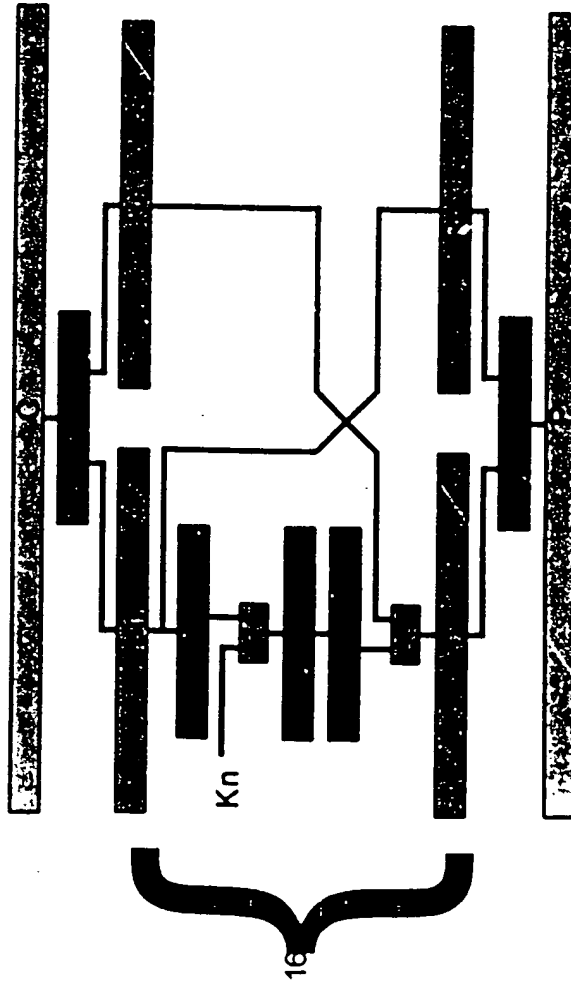


DES decryption

- CBC (Cypher Block Chaining) decrypt uses parallelism between blocks



- DES decrypt
 - ◆ E expansion
 - ◆ + key xor
 - ◆ S substitution
 - ◆ P permutation
 - ◆ + data xor



Software DES

■ Optimizations

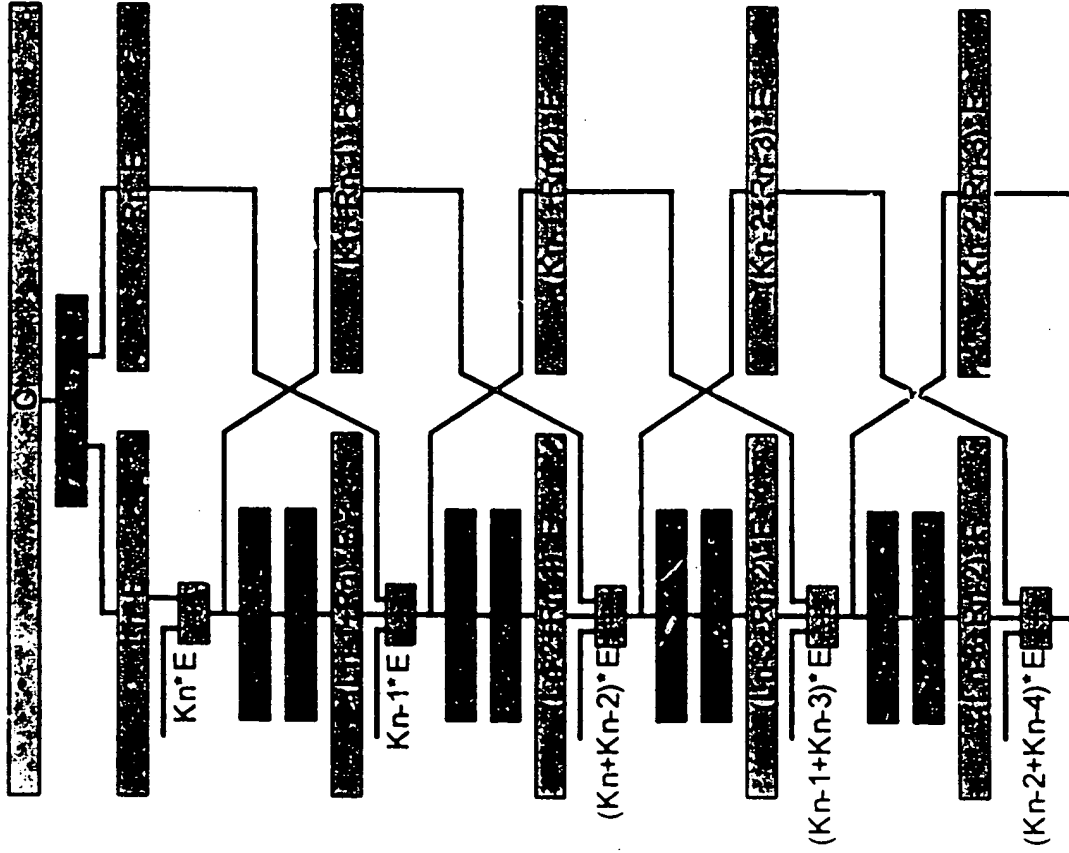
- ◆ 2 blocks/register
- ◆ 4 blocks at once
- ◆ distribute E
- ◆ combine + +

■ Code

K, + L.128, G.XXX
S W.TRANSLATE
PE W.SWITCH

■ Performance

- ◆ 52 cycles/4 blocks
- ◆ 985Mbps@200MHz
- ◆ 10x per clock over fastest sw DES

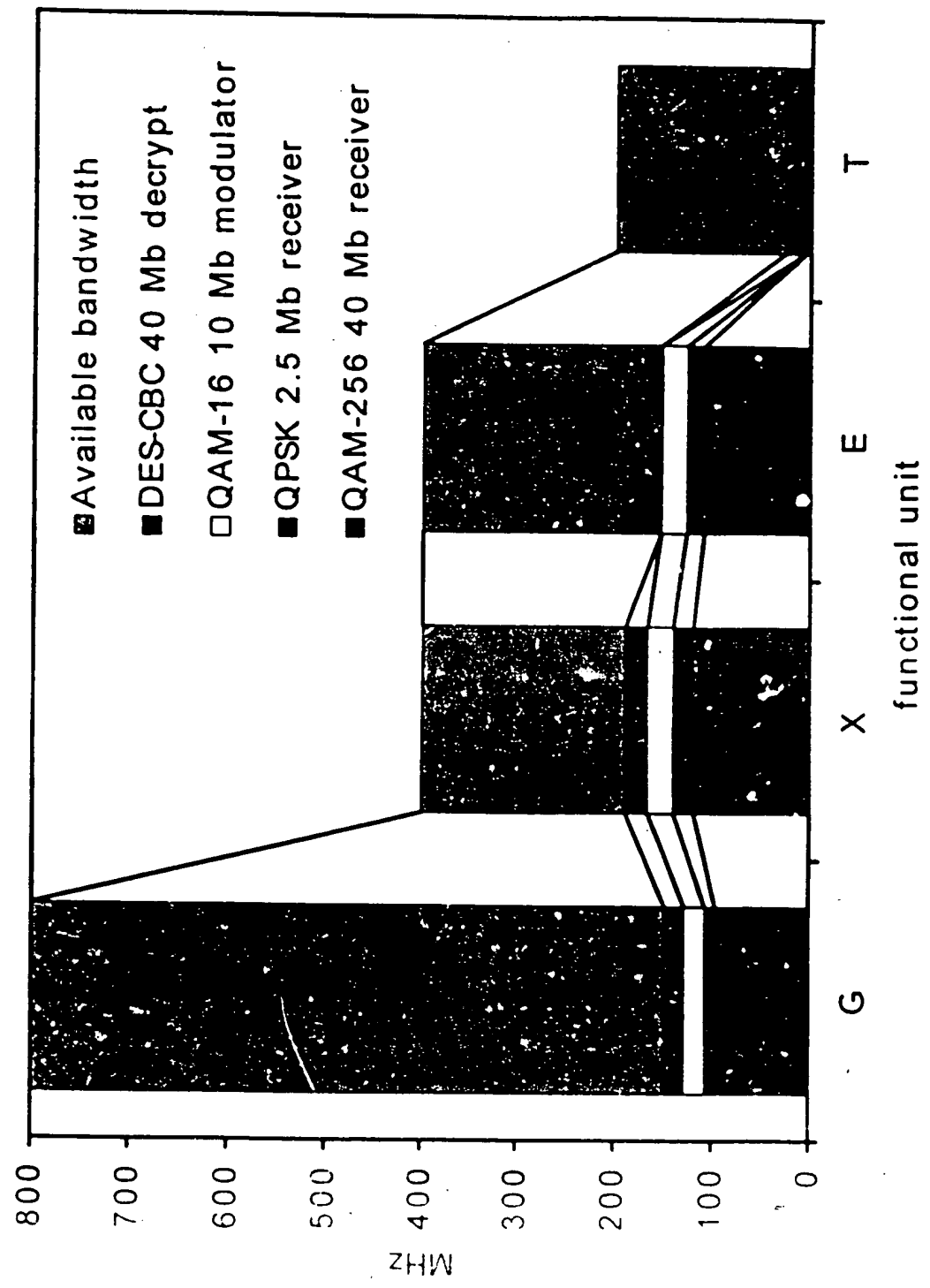


Software DES

- DES standard at end of 20 year life
 - ◆ brute-force code-breaking
 - \$10000 RSA DES Challenge
 - Electronic Frontier Foundation (EFF)
 - ◆ 56 hours to crack
 - ◆ \$200k to design and build
 - ◆ FIPS standard expire this year
- Handles DES extensions
 - ◆ larger keys, bigger S-boxes
 - ◆ more rounds, larger blocks
 - ◆ soft S-boxes and P-boxes
- AES standard in development
 - ◆ 15 official candidates
 - ◆ new standard unpredictable



Instruction bandwidth for cable modem



Software tools

■ Compiler-based development tools

◆ C, C++ compiler

- intrinsic functions, function inlining
- register allocation, code scheduling
- future: automatic parallelisation

◆ object-module tools

- linker, libraries, debugger

■ OS: RT microkernel, Linux

■ DSP libraries

■ Sophisticated tools

- Mathematica: symbolic verification
- GOPS: cross-development library